Experiment on Behaviour of Prestressed Concrete Four
Storeyed Model Structure under Lateral Force.

By

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Synopsis

A four storeyed model structure of prestressed concrete has been
subjected by horizontal forces. The forces have been applied at each
floor level by hydraulic jacks. Measurements were performed on hori-
zontal deflections, period of natural vibration at each loading steps,
and strains of concrete. The test results would serve for clarifying
load-deflection characteristics of prestressed concrete building
structures.

1. Introduction

The present experiment has been performed as a synthetical test for
a series of research on "design method of joint panel of prestressed
concrete structures".

The author believes that structural soundness of assembly-type con-
struction depends mainly on proper design of joint panel and structural
joint. Provided that the above proper design has been done, prestressed
concrete structures would have ample resistance both for vertical
loading and earthquake. Then, prosperous application of prestressed
concrete may be expected as a powerful means of rationalization of buil-
ding industry.

This experiment has been done in accordance with the following plan:

(i) Columns and beams of the specimen are both prestressed. But,
beams which are perpendicular to the direction of loading are made of
ordinary reinforced concrete.

(ii) In joint panels, prestress is introduced. The type of joint
panels is the following four kinds:

> Type 1. r - (width of column)/(width of beam) - 10cm/10cm
> - 1, PC bars are arranged in double both for column
> and beam.

> Type 2. r - 12/10 - 1.2, PC bars are arranged in double for
> column, and in single for beam.

> Type 3. r - 15/10 - 1.5, PC bars are arranged in double for
> column, and in single for beam.

> Type 4. r - 20/10 - 2, PC bars are arranged in double both for
> column and beam.

(iii) Type of floor slabs is the following four kinds:

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Roof slab
   Three precast reinforced concrete slabs are adhered by epoxy
   mortar on beams' surface. Openning between precast slabs are
   also filled with epoxy mortar.

4th floor slab
   Three precast reinforced concrete slabs are jointed by ordinary
   reinforced concrete procedure. Connection of the above three
   slabs are attained by welding two steel plates which have been
   inserted and anchored in each precast slabs.

3rd floor slab
   The same as the roof slab. But, halving joints are prepared
   for connection of slabs and beams.

2nd floor slab
   The same as the 4th floor slab. But, halving joints are prepared
   for connection of slabs and beams.

(iv) The same amount of horizontal forces have been applied to each
floor levels. Considering the fact that actual seismic forces change
its direction, alternative loadings have been applied, that is, the
specimen has been loaded from north side and south side.

(v) Stress has been put on measurement of ductility. So that, load-
deflection diagrams under lateral force were one of the main items of
measurement.

(vi) Observation of cracking in joint panel.

(vii) Observation of failure, particular to three dimentional specimen.

(viii) Measurement of strain of concrete.

(ix) Examination of rigidity of assembly-type floor, and its effect on
rigidity of frame.

(x) Examination of decrease of rigidity of frame in accordance with
increment of load.

2. General description of specimen

(2.1) Preparation of specimen

   The specimen is shown in Fig. 1. Elements of the specimen were
prefabricated at the Kamonomiya factory of the PS Concrete Co. These
elements were assembled at testing room of the Building Research
Institute.

   Sequence of assemblage is as follows:

(i)   Prestressing of columns.
(ii) Placing beams between two columns, and casting joint concrete
      between beam and column.
(iii) After hardening of the joint concrete, the beams were prestressed.

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Thus, a pair of prestressed concrete two dimentional frame has been prepared on the floor of the testing room. Grouting has then been done.

(iv) The above two frames have been errected by crane one by one, and anchor plates of columns were fixed to the double deck of the testing room. The fixing was performed by four ∅ 20mm PC bars per column. These PC bars had previously been tensioned by 15 tons per bar, and been anchored to the deck. After fixing the anchor plates to the bars, space between the anchor plate and the deck was packed by dry mortar, and the anchor plates were anchored to the deck using nuts.

(v) Reinforced concrete beams which are perpendicular to loading direction, were hoisted one by one, and were shored in final position. Reinforcement which had projected from the beam end was welded with mild steel bars inserted in the column. After that, concrete was cast.

(vi) Hoisting of slab elements, and connection of slabs and beams, were performed as mentioned in 1. (iii).

Prestressing force is as follows:

Columns:
$\quad$ 4-∅12mm, 6 tons per bar. Total prestressing force is 24 tons.

Beams of 2nd and roof floor:
$\quad$ 2-∅18mm, 12 tons per bar. Total prestressing force is 24 tons.

Beams of 3rd and 4th floor:
$\quad$ 1-∅18mm, 12 tons per bar. Total prestressing force is 12 tons.

(2.2) Qualities of concrete, mortar, and grout.

(2.2.1) Concrete. Mixing proportions are shown in Table-1. Test results of mechanical properties are shown in Table-2, and Table-3.

(2.2.2) Epoxy mortar. Epoxy mortar was used for adhesion of roof slab and 3rd floor slab. Epoxy resin was also used for adhesion of precast slabs each others. Mechanical properties of these epoxy mortar and resin are shown in Table-4.

(2.2.3) Grout. Grout used was pure cement paste. The cement was ordinary portland cement. Water cement ratio was 45.2%. Test results by 4 x 4 x 16cm test pieces showed bending strength of 17.6 kg/cm², and compressive strength of 388 kg/cm² (mean value of 9 test pieces).

(2.3) PC steel and mild steel.

PC steel bars fabricated at the Koshuha Netsuren Co., were used. Diameter of the PC bars were 12, 18, and 20mm. Mechanical properties of these bars are shown in Table-5. Mechanical properties of ordinary steel bars are shown in Table-6.

3. Method of loading and measurement

Horizontal loads have been applied to each floor by hydraulic jacks at the middle point of two columns.

Measurements were performed on the following items:

(1) Horizontal deflection at each floor levels.
(2) Strain of concrete was measured by SR-4.
(3) Period of natural vibration of the specimen was measured by accelerometer. For the purpose of exciting natural vibration of the specimen, the specimen was at first puiled by wire rope, and then, a thin wire which connected the wire rope and the specimen, was cut off by a shears.

Loading stages are shown in Table-7.

4. General characteristics of the specimen

(4.1) Bending resistance of members.

The results of calculations are shown in Fig. 2.

(4.2) Stress and deflection of the frame in elastic range.

Characteristics of the frame are shown in Table-8.

Moment diagram of the frame, corresponding to fest end moment of 100 kgm at each beam ends, is shown in Fig. 3.

Resisting moments which correspond to the state of decompression are as follow:

$$
\begin{array}{llll}
G1-G4: & 120kg/cm^2 \times 667 & 800 \text{ kgm.} \\
C4 & : & 120kg/cm^2 \times 667 & 800 \text{ kgm.} \\
C3 & : & 100kg/cm^2 \times 800 & 800 \text{ kgm.} \\
C2 & : & 80kg/cm^2 \times 1000 & 800 \text{ kgm.} \\
C1 & : & 60kg/cm^2 \times 1334 & 800 \text{ kgm.}
\end{array}
$$

Supposing that each beam ends are subjected to the same quantities of fest end moment, the fest end moment which corresponds to the state of decompression is 800/88 x 100 910 kgm, (See Fig. 3). This moment corresponds to vertical load of 8.4 tons per floor, or 10.2 tons per floor. The former is calculated on the basis of uniform distribution of the load to the beam, and the latter is calculated on the basis of triangular distribution of load. From the above calculations, we may assume that design horizontal force of this frame corresponding to k 0.2g is between (8.4 x 0.2)/2 to (10.4 x 0.1)/2.

Moment diagram of the frame corresponding to 1.0 ton's horizontal force per floor is shown in Fig. 4.

Calculated joint translation angles, and panel joint angles of the frame corresponding to 1.0 ton's horizontal force per floor are shown in Fig. 5. The unit of figures in Fig. 5 is 1/6 EK. Supposing that E 3 x 10^5kg/cm^2, and K_o EJ/ 116cm^2, deflections of each floor levels

are calculated as indicated in Table-9.

It may be seen from the above Table that the ratio of deflection do not change practically whether slabs co-operation of slabs decrease deflection about 26% compared with the deflection where slabs do not co-operate.

(4.3) Stresses corresponding to design load under seismic force.

Based on the calculations in the above section (4.2), following combinations of load are calculated.

(a) $n (G P) 1.5 K M_r$

$$\begin{aligned}
\text{where,} \quad & n & & 1.0 \text{ or } 1.2, \text{ according to direction of seismic force} \\
& G & & \text{stresses due to dead weight of the frame} \\
& P & & \text{stresses due to live load. Here P is considered} \\
& & & \text{as zero.} \\
& K & & \text{seismic stress} \\
& M_r & & \text{resisting moment of members. (See (4.1))}
\end{aligned}$$

$K (M_r - n \overline{G P})/1.5$
$P_h K/K_o$

where, K_o is stresses corresponding to horizontal force of 1 ton per floor.

(b) $P_h' K'/K_o$ is calculated by the same method as shown in (a). But, here, P_h' is stresses corresponding to the stresses at the time of decompression.

The values of P_h and P_h' are shown in Fig. 6.

From Fig. 5, the design horizontal force is estimated as 1.18 tons, that is a little higher than the values calculated in (4.2), 0.85-1.04 ton For the present experiment where P 0, the value of P_h has been calculated as 2.3 tons.

(4.4) Period of natural vibration of the specimen.

(a) Unit elastic force of the frame.
Unit elastic forces, C_{ij}, horizontal forces which are necessary to cause unit horizontal deflection (1cm) at each floor levels, are shown in Fig. 7.
The weights of each floors are also indicated in Fig. 7.

(b) Equilibrium of forces. Vibration equation.

Particle 4: $W_4/g \, y_4 C_{14}y_1 C_{24}y_2 C_{34}y_3 C_{44}y_4 0$
Particle 3: $W_3/g \, y_3 C_{13}y_1 C_{23}y_2 C_{33}y_3 C_{43}y_4 0$

Particle 2: $W_2/g \, y_2 C_{12}y_1 C_{22}y_2 C_{32}y_3 C_{42}y_4 0$
Particle 1: $W_1/g y_1 C_{21}y_1 C_{21}y_2 C_{31}y_3 C_{41}y_4 0$

Solving the above equation we obtain, circular frequency n, and period of natural vibration T, as follows:

$_1n$ 70, $_2n$ 206, $_1T$ 0.09 second, $_2T$ 0.03 second.

(c) Spring constants and weights of each floors.
Spring constants obtained from actual loading test, and weights of each floors are shown in Fig. 8. In the above mentioned loading test, a are 0, 0.5 t, and 1.0 t.

Equilibrium of each particles is as follows:

$$M_1 \quad y_1 \qquad\qquad K_2 \quad y_2 \quad K_1 \quad y_1$$
$$M_2 \quad (y_1 \quad y_2) \qquad K_3 \quad y_3 \quad K_2 \quad y_2$$
$$M_3 \quad (y_1 \quad y_2 \quad y_3) \qquad K_4 \quad y_4 \quad K_3 \quad y_3$$
$$M_4 \quad (y_1 \quad y_2 \quad y_3 \quad y_4) \quad -K_4 \quad y_4$$

Where, y_i is absolute deflection of each floors.

Solving the above equation, we obtain the following values:

$_1n$ 63.3, $_1T$ 0.0992 second.

5. Consideration of the test results.

(5.1) Resistance against horizontal force.

In this experiment, horizontal forces were applied up to the moment when the frame entered yielding state, but were not applied up to collapse of the frame. Then, it is not clear the relation between design horizontal force and actual ultimate horizontal resistance of the frame. But the following facts may be concluded:

(1) This frame resist safely against a horizontal force which is about 2.6 times of design horizontal force.

(2) According to the measurement by SR-4, at the time of maximum load, strains of concrete exceed 0.2% at the point marked as 0 (see Fig. 6), and exceed 0.1% at the points marked as x in the Figure.

Consequently, it is seen that considerable numbers of plastic hinges might have been formed in the frame. Then, it may be said that properly designed prestressed concrete structures can behave as high degrees statically indeterminate structures.

(5.2) Maximum deflection, and ductility.

Load-deflection diagrams of each floors are shown in Fig. 9

From these diagrams the following facts may be concluded:

(1) Coincidence of measured deflections with calculated deflections is limited only to low loading stage. That is because, rigidities of G2 and G3 are lowered at the early stage of loading due to crackings.

In Table-10, comparison between measured deflections and calculated deflections is shown.

As indicated in the above table, the coincidence is fairly well up to the loading of 1 ton. At the loading stage which is a little higher than the design horizontal force, the ratio of measured and calculated deflection is 0.58-0.65. That means the fact that at the loading stage, rigidity of the frame decreased about 40%.

(2) The diagrams shown in Fig. 9, show the fact that, load deflection curves have no breaking point, and rigidity of the frame lowers continuously, in accordance with increase of load. Recovery of deflection is remarkably well, then absorption of energy is quite small.

(3) Measured maximum relative deflections at each floor levels are as follows:

1st storey:	29.2mm
2nd storey:	27.8mm
3rd storey:	21.1mm
4th storey:	8.6mm

These values, corresponding to 0.9/100 - 2/9/100 of storey height, are considerably greater than the value of relative deflection which is ordinary allowed for buildings. The deflection of 1st storey, 29.2 mm, exceed theoretical maximum deflection of single storeyed specimen which has been tested by the author[1]). Then it may be said that the present type of prestressed concrete frame has sufficient ductility.

(5.3) Dynamic behaviour of specimen.

The values of fraction of critical damping h, and damping rationd, calculated from the load-deflection diagrams shown in Fig. 9, are indicated in Table-11.

The periods of natural vibration for the first mode, measured by a test are shown in Table-12. This test has been performed as follows: At first the specimen was pulled by chain block, and then wires connecting the chain block and the specimen was cut off, thus, natural vibration of the specimen was excited.

Time-acceleration diagrams were recorded during the natural vibration, using accelerometers settled on the roof slab of the specimen. The test was performed after each loading stages.

From the above mentioned results and the results of (4.4), the following facts may be concluded:

(1) As to the period of natural vibration, the above three values of period ($_1T$ 0.09 second, the value obtained by elastic calculation, $_1T'$ 0.099 second, the value obtained by calculation using measured spring constants of the frame, $_1T''$ 0.097 second, the value obtained from the test result of natural vibration of the frame), coincide fairly well.

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1) BRI Occasional Report No. 21, September 1964.

(2) As to the period of natural vibration of second mode, there is no
test result. But according to the calculation, (see (4.4) (e)), ratio
of $_1T/_2T$ 0.3. Then, it is seen that this frame has characteristics
of shear vibration type.

(3) The period of natural vibration of the first mode, measured after
each loading stages are as shown in Table-12. From the above Table,
it is seen that the period do not change practically up to the loading
stages which do not exceed the design horizontal force, and that the
period become longer about 10% after the loading of 2.17 times (5/2.3)
of the design horizontal force and about 30% after the loading of 2.6
times (6/2.3) of the design horizontal force. That is, increase of
the period of natural vibration of prestressed concrete structures, in
accordance with progress of partial ruptures, is very small.

(4) Damping factor, and fraction of critical damping are calculated based
on the static loading tests. Judging from the load-deflection diagrams
(see Fig. 9), damping of the frame is practically zero up to the loading
stage of P_h 3.5 tons. As shown in Table-11, the fraction of critical
damping is 0.07 after the loading of 2.17 times of the design horizontal
force. Then, it is obvious that the damping of prestressed concrete
structures is considerably less than that of reinforced concrete
structures. It is seen from Table-11 that the values of h are different
for each storeys. That means the fact that degree of damage is different
for each storeys.

(5.4) Behaviour of slabs under lateral force.

As to the precast slabs used for the frame, the following facts may b
be said:

(1) There is no practical difference between the joint method of ordinary
reinforced concrete procedure, and that of epoxy mortar joint.

(2) Three precast concrete panels have behaved monolithically up to the
final loading stage.

(3) Transmission of horizontal force from the slabs to the frame are
satisfactory. But, it has been cleared that deformation of the slabs
have the same tendency of that of the frame, and considerable bending
deformation of slabs has measured.

(4) Cracking patterns of slabs and the frame arround the slabs, are
different according to the joint methods. As to this point further
consideration is required. (See Fig. 10 and Fig. 11).

(5.5) Strain of concrete.

As a result of the measurement of strain of concrete by SR-4, the
followings may be concluded.

(i)   Initial cracking load of the frame nearly coincide with calculated
value.

(ii) Panel joint having single PC bar lose rigidity of joint in accordance
with increment of load.

(iii) Capacity of energy absorption of joint concrete is small, both for the joint with single PC bar and for the joint with double PC bars. That is, strain of concrete which has increased plastically restores fairly clastically.

6. Conclusion

By the above mensioned experiment, several problems on structural design of prestressed concrete have been revealed.

(1) Statically indeterminate structure having sufficient ductility may be designed provided that design of panel joint is properly performed.

(2) Special attention should be paid for seismic response of prestressed concrete structures, which have different dynamic characteristics to re-inforced concrete structures. The main point of difference is that, in reinforced concrete structures, deflection characteristics enters con-siderably into plastic range when structures are subjected design hori-zontal force, on the contrary, in prestressed concrete structures, deflection characteristics do not enter into plastic range provided that they are not subjected to horizontal force of several times of the design force.

As to seismic responce, it is generally assumed that prestressed concrete structures may be subjected to the greater seismic force than that of reinforced concrete structures, because fraction of critical damp-ing is smaller for prestressed concrete structures than for reinforced concrete structures. Then, in actual earthquake, it may be assumed that there is sufficient possibility that prestressed concrete structures also enter into plastic range. In the other words, it may be considered that equivalent static lateral force, corresponding to the same ground motion, should be greater for prestressed concrete structures than for reinforced concrete structures. Then, it is only apparent properties that prestress-ed concrete structures have clastic deflection characteristics up to several times of the design horizontal force. Then, practical criteria for judging soundness of prestressed concrete structures should be ductilit; in plastic range, and relative deflection at the moment when structures enter into plastic range.

(3) Ductility of the frame have been sufficient as mentioned in (1). But, this fact should not be applied unconditionally. To assure ductility of structures, the followings are paramountly necessary: (i) to perform proper design of joint panel, (ii) to avoid premature formation of plastic hinge in column.

(4) As the relative deflection, it should be kept in mind that there is an inherent minimum deflection for each structures which should be con-sidered in case of earthquake design. The above minimum deflection has an important meanings when designing interior and exterior finishing of buildings. From the stand point of ductility, it is preferable that relative deflection is great as possible. But, excessive deflection, at the time when structures enter into plastic range, make it difficult the design of exterior and interior finishings. In this frame, relative deflection is about 1.5 cm per storey. That is about twice of ordinarily permitted maximum deflection for steel skeleton structures in Japan.

That means that, earthquake damage of prestressed concrete structures
having ordinary finishings may be greater than that of reinforced concrete,
at least as to interior and exterior finishing. In case of prestressed
concrete structures having many shear walls, the above presumption should
not be applied. It may be generally concluded that in designing prestress-
ed concrete structure, method of fixing of exterior and interior finishing
materials should be carefully examined.

(5) Residual deformation of joint panel is smaller than that of reinforced
structures. The above fact correspond to the smaller capacity of energy
absorption and the amaliness of damping capacity. The above properties
are disadvantageous for finishing materials, as deflection become great
due to the greatness of seismic response. But after ceasing of earthquake,
damage of structures may be smaller than reinforced concrete structures,
because residual deflection is smaller for prestressed concrete structures,
Then, it may be said that, properly designed prestressed concrete structures
having proper finishings, may be suffered smaller damage than reinforced
concrete structures, against the same intensity of earthquake. In the other
words, it may be said that, more economical design is possible by prestress-
ed concrete structures than reinforced concrete structures, against the
same degree of damage.

(6) The above conclusions are based on the assumption that structures
behave monolithically, and that prestress maintained permanently. Then,
the author would like to call special attention on the following points.

(i) Sufficient rigidity of slabs. This is necessary to make clear
structural design, and especially important for assembly-type structures.
In the present experiment, precast concrete slabs of 5 cm thickness
were used. According to the test results, the slabs have behaved
monolithically, but there occured considerable amount of tensile strains
in the slabs, so that method of junction of slabs to frame should be
designed and executed carefully.

(ii) Rupture of prestressing tendons should be carefully avoided, as the
rupture lowers reliability and safety of structures mortally. Then it
is desirable that, PC steel having sufficient elongation should be used
for the part which suffers large bending deformation, and that grouting
should be done arround prestressing tendons.

(iii) Tortional effect of members is sometimes necessary to consider. In
the present specimen, remarkable cracks have been observed in a reinforc-
-ed concrete beam which is perpendicular to the loading direction.

ACKNOWLEDGEMENT
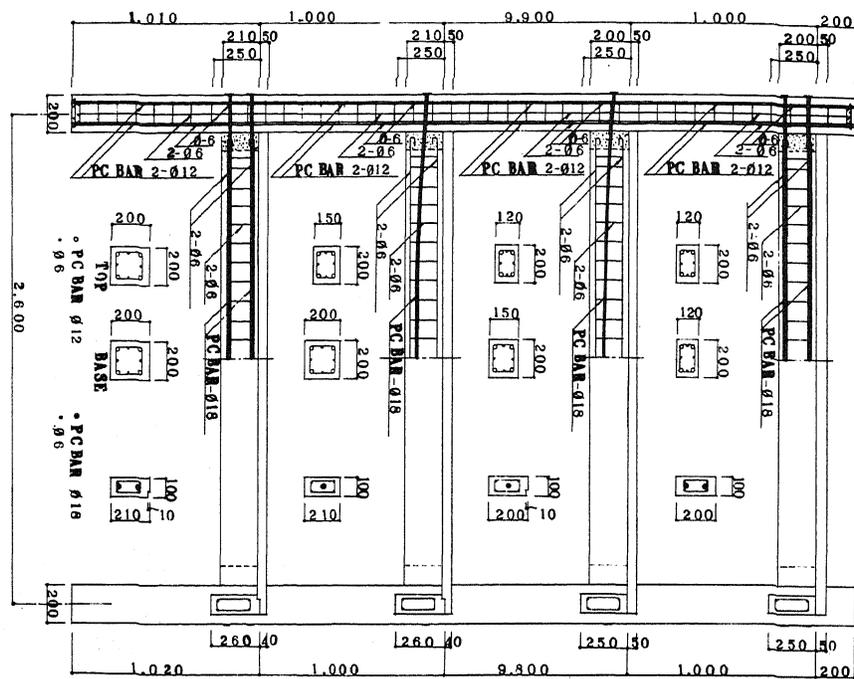
Fig. 1-a. General aspect of specimen (1).
(East and west side)
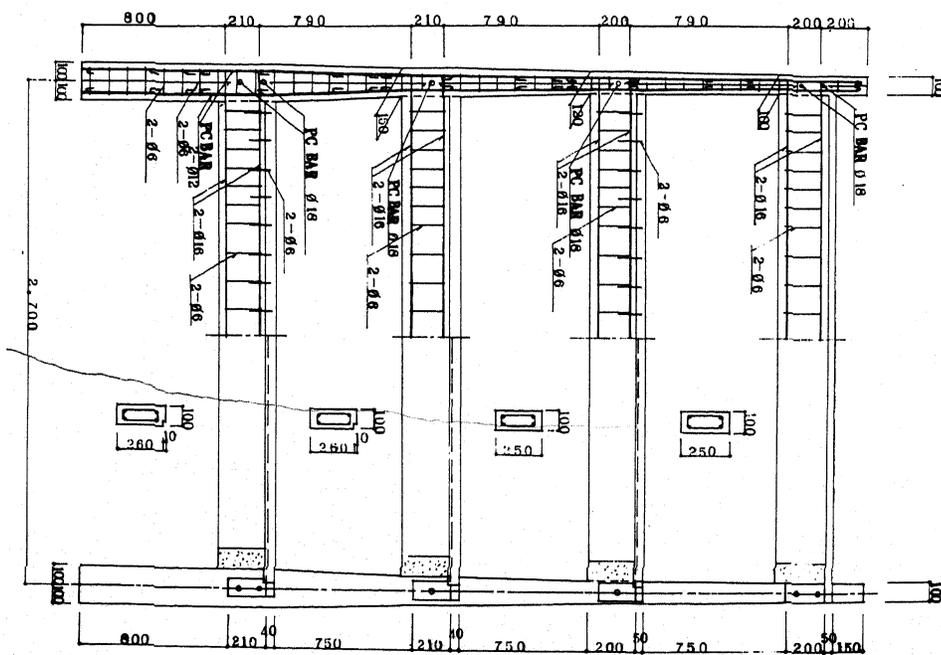
Fig.1-b   General aspect of specimen (2).
(North and south side)

compressive strength
of members. (kg·cm2)
S: slab
G: beam
C: column

S	G	C
380	450	500
160	450	500
350	450	500
180	450	500

n=3.5cm
Mr=6.602tm

n=6.3cm, Mr=8.07tm
n=3.85cm, Mr=2.37tm
n=5.1cm, Mr=2.07tm
n=1.78cm, Mr=3.14tm
n=5.1cm, Mr=2.07tm
n=6.2cm, Mr=5.16tm
n=6.1cm, Mr=3.07tm

n=6cm
Mr=3.48tm

n=5.3cm
Mr=3.33tm

n=4.0cm
Mr=3.52tm

n=3.6cm
Mr=3.67tm
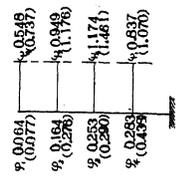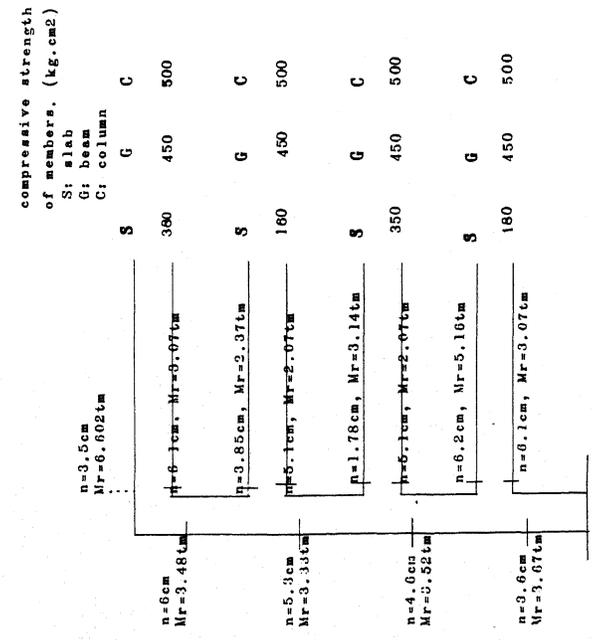
Fig. 2 Bending resistance of members

unit: kgm
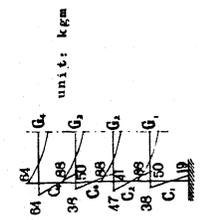
Fig. 3 Moment diagram corresponding to fixt end moment of 100 kgm at each beam ends.

Fig. 4 Moment diagram corresponding to 1.0 ton's horizontal force per floor.

φ_0 0.0064 (0.077)
φ_1 0.164 (0.276)
φ_2 0.253 (0.290)
φ_3 0.283 (0.409)

(0.548) (0.737)
(0.949) (1.176)
(1.171) (1.461)
(0.837) (1.070)

Fig. 5 Joint translation angle φ_3 and panel joint angle φ_5.

unit; ton.
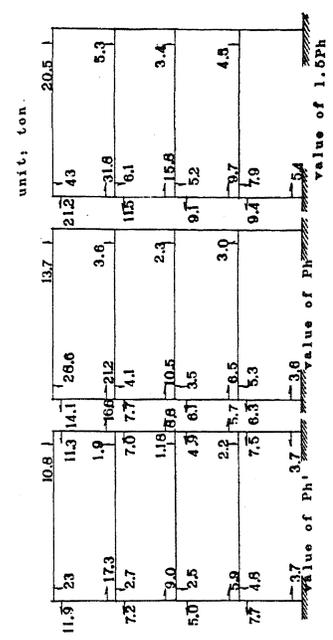
Fig. 6 Horizontal forces corresponding to various combination of load.

value of 1.5Ph
value of Ph
value of Ph'
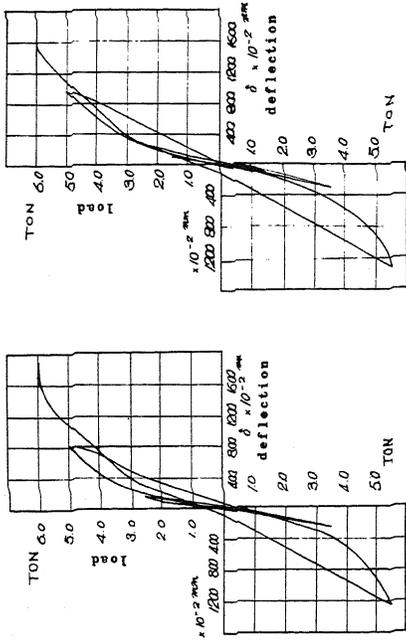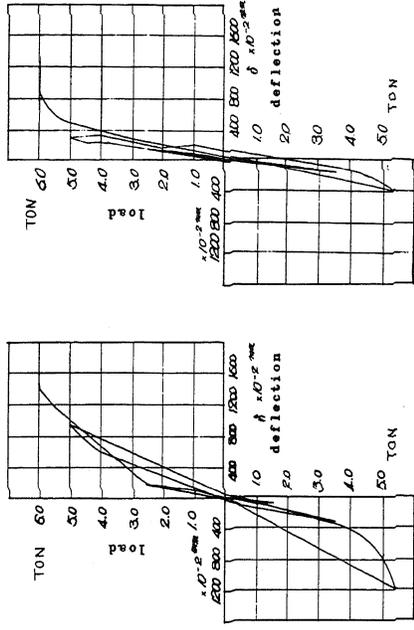
3rd floor

roof floor

Fig. 9 Load-deflection diagrams.

2nd floor

4th floor

$-C_{4f}=1.8\times2$ $-C_{3f}=10.5\times2$ $-C_{2f}=4.0^t\times2$ $-C_{1f}=31.4\times2$ $W_4=152^t$

$-C_{4e}=18\times2$ $-C_{3e}=63.5\times2$ $-C_{2e}=89\times2$ $-C_{1e}=40\times2$ $W_3=1.65$

$-C_{4d}=85\times2$ $-C_{3d}=14\times2$ $-C_{2d}=63.5\times2$ $-C_{1d}=105.5\times2$ $W_2=1.71$

$-C_{4c}=175\times2$ $-C_{3c}=85\times2$ $-C_{2c}=18\times2$ $-C_{1c}=1.8\times2$ $W_1=176$

Fig. 7 Unit elastic forces.

1 ton $\delta=81\times10^{-2}$ mm

$k_4=43t$

$\delta=60$

$k_3=35t$

$\delta=35$

$k_2=45t$

$\delta=12$

$k_1=83t$

$W_4=1.5t$

$W_3=1.6t$

$W_2=1.7t$

$W_1=1.8t$

Fig. 8 Spring constants of the frame.

Fig. 11 Cracking pattern of the frame (2).
(details.)
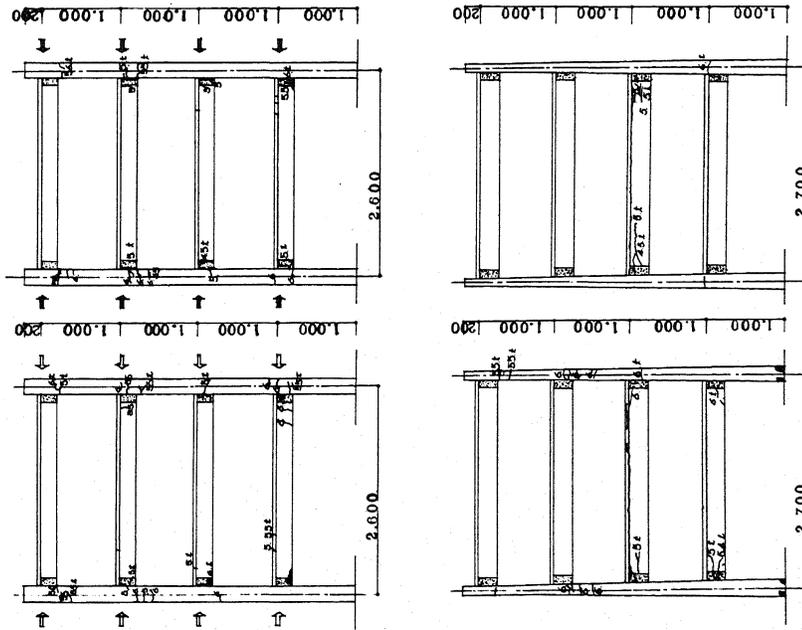
Fig. 10 Cracking pattern of the frame(1).

Table-1. Mixing proportion of concrete.

position in the specimen.	cement. (kg) Asano Rapid Hardening Cement.	sand (kg) river sand	gravel (kg) crushed stone	w/c ratio (%)
		per M³		
reinforced concrete beam	300	842	1118	60.4
PSC column and beam	480	803	1039	36.0
slab	350	845	1100	52.0
PSC beam joint (in situ)	480	797	1030	36.0
RC beam joint (in situ)	425	764	1010	55.0
	390	910	905	55.0
slab joint (in situ)	340	990	880	55.0

Table-2. Test results of concrete (1). (⌀ 10x20cm test piece.)

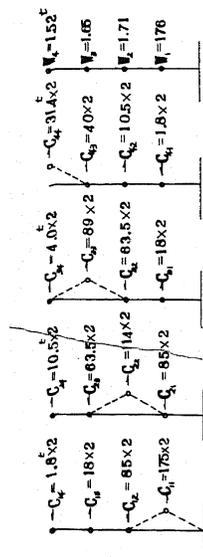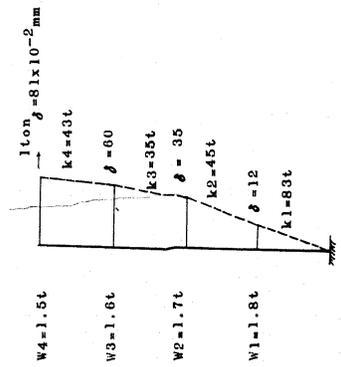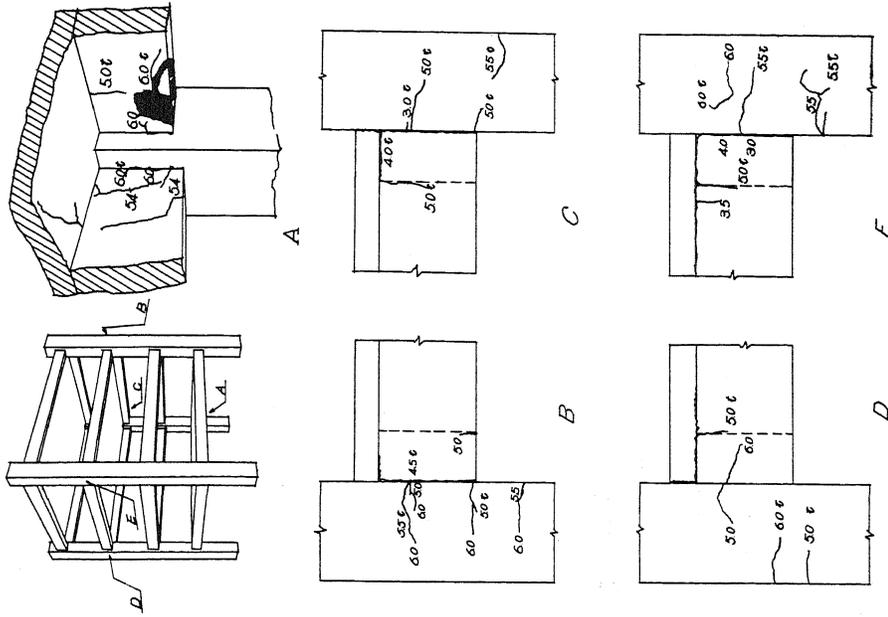| position in the specimen.	compressive strength. kg/cm²	tensile strength* kg/cm²	Young's modulus** kg/cm²	test age days
slab joint (1)	313	29.0	---	17
	348	---	---	17
slab joint (2)	302	24.9	244,000	17
	308	---	255,000	17
PSC beam joint	700	---	---	28
	656	---	---	28
	777	42.7	445,000	28
	357	---	284,000	40 hours
RC beam joint (1)	518	40.6	---	21
	505	---	339,000	21
RC beam joint (2)	318	31.4	---	21
	288	---	231,000	21
precast slab	134	---	---	42
	134	21.6	163,000	42
precast column and beam	499	---	358,000	45
	466	38.4	---	45

Remarks: * Tensile strength by Brazil test. ** Gauge length is 100mm.

Table-3. Test results of concrete (2).
(Compressive strength of test cylinders which have been cut off from the specimen)

position in the specimen	diameter x height (cm)	compressive strength (kg/cm²)
2nd floor slab	4.4 x 5.3	197
	4.4 x 5.8	365
	4.4 x 5.7	164
3rd floor slab	4.4 x 5.5	334
	4.4 x 5.5	345
	4.4 x 5.5	390
4th floor slab	4.4 x 5.6	154
	4.4 x 5.3	164
	4.4 x 5.5	184
roof floor slab	4.4 x 5.4	359
	4.4 x 5.4	418
	4.4 x 5.5	332
RC beam (2nd floor)	4.4 x 9.1	184
	4.4 x 9.0	177
PSC beam (2nd floor)	4.4 x 9.5	505
	4.4 x 9.0	415
column (1st storey)	6.8 x 14.0	462
	6.8 x 13.9	573

Table-4. Test results of epoxy mortar and resin.

position in the specimen.	diameter x height (mm)	bending strength (kg/cm²)	compressive strength (kg/cm²)	Young's* modulus (kg/cm²)
between slabs	30 x 60	---	684	52,600
	30 x 60	---	651	---
	30 x 60	---	646	---
between slabs	15 x 30	---	703	47,800
	15 x 30	---	678	---
	15 x 30	---	684	---
slab and beam	15 x 30	---	698	64,900
	15 x 30	---	616	---
	15 x 30	---	633	---
between slabs	prism	301	794	---
		268	789	
			770	
		226	753	
	40 x 40 x 160		776	
		313	793	
			795	
		339	789	
			795	
		353	789	
			795	

* Gauge length was 67 mm. Measured by SR-4.

Table-5. Mechanical properties of PC bars.

nominal diameter (mm)	diameter (mm)	maximum load (kg)	maximum stress (kg/mm2)	elongation (%)
12	10.8	13,100	143.0	5.75
12	10.8	13,300	146.0	5.75
12	10.9	13,300	142.5	6.00
12	10.8	13,300	145.0	5.75
12	10.9	13,350	143.0	5.75
18	16.9	28,550	127.3	6.50
18	16.9	28,450	127.0	6.00
18	16.9	28,500	127.1	6.00

* Gauge length was 200mm.

Table-6. Mechanical properties of ordinary steels.

nominal diameter (mm)	diameter (mm)	yield stress (kg/mm2)	maximum stress (kg/mm2)	elongation (%)
6	5.85	---	63.2	14.6
6	5.90	---	63.4	12.5
6	5.85	---	65.3	12.5
6	5.90	---	62.3	14.6
6	6.00	---	61.3	14.6
6	5.80	---	63.3	14.6
6	5.90	---	65.3	12.5
6	5.00	---	64.5	14.6
6	5.00	---	60.1	12.5
6	5.00	54.7	64.1	27.1
6	5.80	55.3	61.7	22.4
6	5.80	56.6	63.1	---
16	16.05	30.2	44.3	31.2
16	16.00	30.2	44.2	31.2
16	15.90	31.7	47.3	32.1

* Gauge length was 8 times of diameter.

Table-7. Loading stage.

No. of test	loading direction	loading stage (t)	measurement
1	N	0.5-1.0-1.5	horizontal deflection, strain of concrete, period of natural vibration.
2	S	0.5-1.0-1.5-2.0-2.5	ditto
3	N	1.0-2.0-2.5-3.0-3.5	ditto
4	S	1.0-2.0-3.0-3.5-4.0-4.5-5.0	ditto
5	N	1.0-2.0	horizontal deflection, strain of concrete.
6	N	1.0-2.0-3.0-4.0-5.0-5.5	horizontal deflection, strain of concrete, period of natural vibration.
7	N	1.0-2.0-3.0-4.0-5.0-5.5-6.0	ditto ditto

Table-8. Characteristics of the frame.

member.	dimension. (cm x cm)	cross sectional area. A (cm3)	moment of inertia. I (cm4)	length. L (cm)	K=I/L (cm3)	k
column C1	20 x 20	400	13,300	92.5	144	1.24
column C2	20x(20+15)/2	350	11,600	100	116	1.00
column C3	20x(15+12)/2	270	8,960	100	89.6	0.77
column C4	20x(12+10)/2	220	7,300	100	73.0	0.63
beams G1-G4	10 x 25 (10 x 20)		22,700 (13,000)	260 (260)	87 (50)	0.75 (0.43)

Remarks: Effective breadth of beam is assumed as 40cm (=6t+b). Where, t is thickness of slab. Figures in ( ) correspond to the case when slabs do not cooperate with the beams.

Table-9. Horizontal deflection corresponding to 1 ton's lateral force per floor.

story	relative deflection (mm)	ratio of relative deflection	absolute deflection (mm)	ratio of absolute deflection
1	0.402 (0.514)	1 (1)	0.402 (0.514)	1 (1)
2	0.564 (0.701)	1.4 (1.4)	0.966 (1.215)	2.4 (2.4)
3	0.456 (0.564)	1.1 (1.1)	1.422 (1.779)	3.5 (3.5)
4	0.263 (0.354)	0.65 (0.7)	1.682 (2.133)	4.15 (4.2)

Remarks: Figures in ( ) are correspond to the case where effective width of slabs for G3 and G1 is zero.

Table-10. Comparison of measured and calculated deflections. (x 10^{-2} mm)

posi-tion	0-1.5 ton (N-S) at 1.0 ton meas.	cal.	ratio	at 1.5 ton meas.	cal.	ratio	0-2.5 tons (S-N) at 1.5 ton meas.	cal.	ratio	at 2.5 tons meas.	cal.	ratio
1	40	48	0.83	60	103	0.58				100	173	0.58
2	57	52	1.10	80	121	0.71				143	232	0.62
3	46	45	1.02	67	77	0.87				115	180	0.64
4	26	25	1.03	37	43	0.86				65	101	0.65

Table-11. Damping characteristics.

loading stage	1st storey d	1st storey h	2nd storey d	2nd storey h	3rd storey d	3rd storey h	4th storey d	4th storey h
0-3.5t	1.2	0.029	1.37	0.049	1.23	0.032	1.07	0.010
0-5.0t	1.56	0.071	1.60	0.074	1.33	0.045	2.72	0.047
0-5.5t	1.53	0.067	1.51	0.066	1.40	0.052	1.31	0.042

Table-12. Period of natural vibration for the first mode.

loading stage	0-1.5t	0-2.5t	0-3.5t	0-5.0t	0-5.5t	0-6.0t
Period (sec.)	0.097	0.103	0.103	0.110	0.120	0.130

EXPERIMENT ON BEHAVIOUR OF PRESTRESSED CONCRETE FOUR STOREYED MODEL STRUCTURE UNDER LATERAL FORCE

BY K. NAKANO

QUESTION BY:

S. INOMATA - JAPAN

1. Is the residual deformation of a P.C. frame greater or smaller than that of a R.C. frame?

2. If the residual deformation of a P.C. frame is greater or smaller than that of a R.C. frame, what kinds of effect can you expect this to have on the structural behaviour of a P.C. frame after an earthquake?

AUTHOR'S REPLY:

1. The degree of residual deformation of P.S.C. structures depends on loading stage of structures. Comparing at the loading stage when the lateral force has just reached the yielding load of structures, the residual deformation may be smaller for P.S.C. structures than reinforced concrete structures.

   When the deformation entered into the pure plastic range, the residual deformation of P.S.C. structures may not differ largely from that of reinforced concrete structures. (see attached figure).

2. It may generally be considered that the residual deformation is smaller for P.S.C. structures. Then, it may be said that the damage of the skeleton of structures is smaller for P.S.C. structures compared with reinforced concrete structures. But, the damage of structures as a whole including the damage of non-structural members and finishings depends on the proper design of detail of the P.S.C. structures which probably suffer greater inter-storey drift than reinforced concrete structures during earthquake.

LOAD - DEFLEXION CURVE.

δ= cm.

P, tons

P_{max}=13.5 ton.