



SD-11

A PROPOSAL FOR SEISMIC DESIGN PROCEDURE OF APARTMENT HOUSES INCLUDING SOIL-STRUCTURE INTERACTION EFFECT

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SUMMARY

The objective of this paper is to present a proposal where design values of buildings are estimated by taking into account the dynamic soil-structure interaction produced during earthquakes. The building structure is represented by the mass-spring system having swaying and rocking springs and dashpots located at the foundation. The subsoil layers are transformed to the uniform medium with an equivalent shear wave velocity and Poisson's ratio. This is applied to the reinforced concrete and steel framed reinforced concrete apartment houses. The numerical results indicate the reasonable feature of the soil-structure interaction effect.

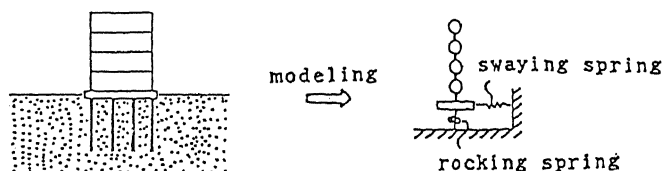
INTRODUCTION

In Japan, along with efficient uses of the land, buildings have been constructed on rather soft unstable soils. For that reason, it becomes all the more necessary to evaluate the seismic design for the building, taking into consideration the characteristics of the soft-soil ground motion and the soil-pile-structure interactions. Taking into account these aspects above, we carried out this research for apartment houses of HUDC while considering dynamic soil-structure interaction effects theoretically, analytically and experimentally. The main purpose was to set up the standards for evaluating seismic inputs for design in order to obtain more rational structures.

This paper presents a proposal where seismic design values of apartment houses are estimated by taking into account the soil-structure interaction and an example of numerical results obtained by applying the proposal to a real building.

MODELING OF BUILDING AND DESIGN PROCEDURE

The building structure is represented by the mass-spring system having swaying and rocking and dashpots located at the foundation as seen in Fig.1.



(a) Building, Foundation and Soil (b) Swaying-Rocking Model (SR model)

Fig.1 Interaction System Model

At that time, the subsoil layers are transformed to the uniform medium with an equivalent shear wave velocity and Poisson's ratio. Design procedure in the proposal is shown in Fig.2.

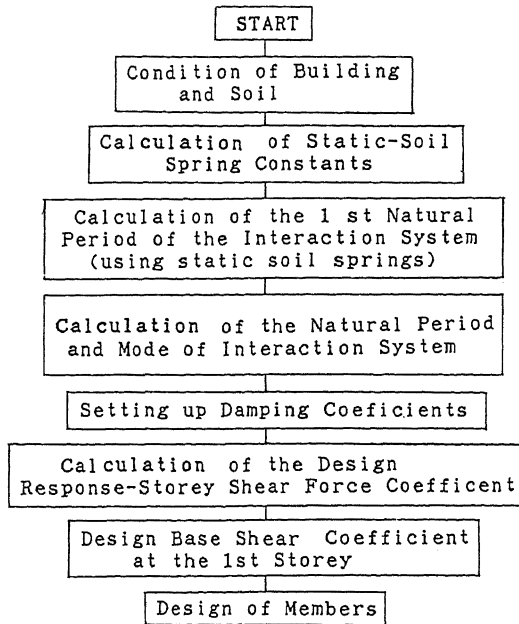


Fig.2 Design Procedure

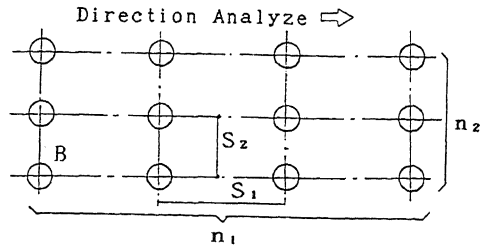


Fig.3 Total Number of Piles n_1, n_2

EVALUATION OF SPRING CONSTANTS

The static swaying and rocking spring constants of the soil, K_s, K_R are calculated according to the following equations:

$$K_s = \mu_s \cdot (fK_s + eK_s + pK_s) \quad , \quad K_R = \mu_R \cdot (fK_R + eK_R + pK_R) \quad (1)$$

where, K_s, K_R are coefficients for modification regarding cumulation of swaying and rocking constants of the soil and the pile. fK_s, fK_R are calculated according to the equations below:

$$fK_s = \left\{ \frac{8}{(2-\nu_s)} \right\} \cdot (r_s / \xi) \cdot v_s^2 \cdot r_s, \quad fK_R = \left\{ \frac{8}{[3(1-\nu_s)]} \right\} \cdot (r_s / \xi) \cdot v_s^2 \cdot r_R^3 \quad (2)$$

where, r_e, ν_e, ξ and v_e are, respectively, effective unit of the soil, effective Poisson's ratio of the soil, acceleration of gravity and shear wave velocity of the soil. r_s, r_R are effective radii of the foundation swaying and rocking motions, respectively. ψ_s, ψ_R are coefficients for modification of the effective radii and calculated according to the equations below:

$$r_s = \psi_s \cdot \sqrt{A/\pi}, \quad r_R = \psi_R \cdot \sqrt[4]{4I/\pi}, \quad \psi_s = 0.05 (\log_2 \lambda + 1.0)^2 + 0.95, \quad \psi_R = 1.0 \quad (3)$$

where, λ is ratio between the length and the width of the building ($=2c/(2b)$). $2c$ is the width of the building perpendicular to the direction of vibration and $2b$ is the width of the building of the direction of vibration. eK_s, eK_R are swaying and rocking spring constants of the embedded part of the foundation and calculated according to the equations below:

$$eK_s = fK_s \cdot (G_o/G_e) \cdot (eH/r_s) \quad eK_R = 2.5 fK_R \cdot (G_o/G_e) \cdot (eH/r_R) \quad (4)$$

where, G_o, G_e are the average shear rigidity at the soil touching the side wall, and effective shear coefficients of the soil. $G_o/G_e = 1, eH$ is the depth of the base foundation (bottom of the base beam) from the ground surface. However, when compression/settlement of the soil is expected, the settlement shall be subtracted. pK_s, pK_R are swaying and rocking spring constants of

the pile and calculated according to the equations below:

$${}_{p}K_s = \alpha_p \cdot N_p \cdot {}_{p}k_s, \quad {}_{p}K_R = \sum_j {}_{p}k_{vj}, y_j^2 \quad (5)$$

where, j is the serial number of the pile and y_j is the distance between the center line of the foundation and the center of the j -th pile. α_p , the reduction coefficient of the swaying constant of piles due to the group-pile effects, is calculated according to the following equations:

$$\alpha_p = \exp \{ - (\alpha_{p1} \sqrt{N_1 - 1} + \alpha_{p2} \sqrt{N_2 - 1}) \}, \quad \alpha_{p1} = 0.5 / \sqrt{S_1 / B}, \quad \alpha_{p2} = 0.3 / \sqrt{S_2 / B} \quad (6)$$

where, S_1 is the interval of piles in the vibration direction, S_2 is interval of piles perpendicular to the direction of vibration, B is the diameter of the pile and N_p is the total number of piles (Fig.3). ${}_{p}k_s$ is the swaying spring constant of a single pile and in case pile-head is fixed, it is calculated as follows:

$${}_{p}k_s = 4 E_p \cdot I_p \cdot \beta_p^3, \quad \beta_p = \sqrt[4]{k_h \cdot B / (4 \cdot E_p \cdot I_p)} \quad (7)$$

where, E_p is Young's modulus of the pile. I_p is the 2nd inertial moment of the pile and k_h is horizontal reaction of the soil. ${}_{p}k_{vj}$ is the spring constant of the j -th single pile in the vertical direction and calculated according to the equation below:

$${}_{p}k_{vj} = a \cdot A_p \cdot E_p / l \quad (8)$$

where, A_p is the net area of the cross section of the pile, l is the length of the pile and a is the coefficient for each kind of pile. In case of a supported pile which is reinforced concrete pile in site, it is calculated as follows:

$$a = 0.022 (l/B) - 0.05 \quad (9)$$

where, μ_s, μ_R are calculated as follows:

$$\mu_s = (1 - \alpha_s)^{1.5} + \alpha_s^{1.5}, \quad \mu_R = 1.0 \quad (10)$$

where, α_s is the ratio between the swaying spring constants of the pile and the total of swaying spring constants of the soil and pile and calculated as follows:

$$\alpha_s = {}_{p}K_s / ({}_{r}K_s + {}_{e}K_s + {}_{p}K_s) \quad (11)$$

The natural period of the interaction-system is calculated by the use of weight of each storey, spring constants, weight of the foundation and static soil swaying and rocking spring constants calculated in that step. The dynamic swaying and rocking spring constants of the soil, $\widehat{K}_s, \widehat{K}_R$ are respectively calculated according to the following equations:

$$\begin{aligned} \widehat{K}_s &= \widehat{\mu}_s \cdot ({}_{r}\widehat{K}_s + {}_{e}\widehat{K}_s + {}_{p}\widehat{K}_s) & \widehat{K}_R &= \widehat{\mu}_R \cdot ({}_{r}\widehat{K}_R + {}_{e}\widehat{K}_R + {}_{p}\widehat{K}_R) \\ \widehat{\mu}_s &= \mu_s, \quad \widehat{\mu}_R = \mu_R (= 1.0) & {}_{r}\widehat{K}_s &= s_d s \cdot {}_{r}K_s, \quad {}_{e}\widehat{K}_s = s_d s \cdot {}_{e}K_s \\ {}_{p}\widehat{K}_s &= p_d s \cdot {}_{p}K_s, \quad {}_{r}\widehat{K}_R = s_d r \cdot {}_{r}K_R & {}_{e}\widehat{K}_R &= s_d r \cdot {}_{e}K_R, \quad {}_{p}\widehat{K}_R = p_d r \cdot {}_{p}K_R \end{aligned} \quad (12)$$

where, $s_d s, p_d s, s_d r, p_d r$ are the ratio of dynamic rigidity reduction and calculated as follows:

$$\begin{aligned} s_d r &= (1 - 0.05 \cdot Q_{OR})^2; \quad Q_{OR} < 10 & s_d r &= 0.25 & ; \quad Q_{OR} \geq 10 \\ s_d s &= p_d s = p_d r = 1.0 \end{aligned} \quad (13)$$

where, a_{OR} is a non-dimensional frequency regarding the rocking spring and equal to $\Omega \cdot T_R / \sqrt{e}$. Ω is the 1st natural circular frequency of the interaction system based on the static spring constant ($= 2\pi / T_1$). The j -th natural period (T_j) and the mode of the interaction system is calculated by the use of weight of each storey, spring constants, weight of the foundation, and dynamic swaying and rocking spring constants.

EVALUATION OF DAMPING FACTOR

The damping factor of the j -th mode ($h_{eq,j}$) for calculating the response storey base shear coefficient (${}_{e}C_j$), is calculated by the following equation:

$$h_{eq,j} = {}_{B}\gamma_j \cdot {}_{B}h + s\gamma_{s,j} \cdot s_h^2 + s\gamma_{r,j} \cdot s_h^2 + p\gamma_{s,j} \cdot p_h^2 + p\gamma_{r,j} \cdot p_h^2 \quad (14)$$

where, the damping factor of each part is weighted according to the strain

energy. γ is the ratio between the associated strain energy and the whole strain energy of the vibration system at the j -th vibration mode. p_h is the damping coefficient of the building and is normally 0.02. sh'_s, sh'_R are damping coefficients of the soil for the swaying spring and rocking spring, respectively, modified according to the layered soil and calculated as follows:

$$sh'_s = s\delta_s \cdot s\varepsilon_s \cdot s\chi_s \cdot sh_s + sh_1, \quad sh'_R = s\delta_R \cdot s\varepsilon_R \cdot s\chi_R \cdot sh_R + sh_1 \quad (15)$$

where, δ is the coefficient for modification of the damping of the soil due to the layered soil. ε is the coefficient for modification of the soil due to the embedment of the foundation. χ is the coefficient for modification of the soil due to the opening of the foundation and h is the damping coefficient of the half-space elastic soil replaced with the equivalent. sh_1 is the constant of visco-damping of the soil and is normally 0.03. $s\delta_s, s\delta_R$ are coefficients for modification of the swaying spring and rocking spring of the soil, respectively, due to the embedment of the foundation and calculated as follows:

$$s\delta_s = \begin{cases} 0.1(V_{e2}/V_{e1}-1)^2 + 0.36 / [(V_{e2}/V_{e1}-1)^2 + 0.36] & ; \bar{Q}_{os} \leq cQ_{os} \\ s\delta_s = 1 - [(1.2gQ_{os} - \bar{Q}_{os}) \cdot 0.9(V_{e2}/V_{e1}-1)^2] / [(1.2gQ_{os} - cQ_{os}) \cdot (V_{e2}/V_{e1}-1)^2 + 0.36] & ; cQ_{os} < \bar{Q}_{os} \leq 1.2gQ_{os} \end{cases} \quad (16)$$

$$s\delta_s = 1.0 \quad ; 1.2gQ_{os} < \bar{Q}_{os}$$

$$s\delta_R = 0.05 + 0.95(\bar{Q}_{or} - cQ_{or}) / (1.8gQ_{or} - cQ_{or}) \quad ; cQ_{or} < \bar{Q}_{or} \leq 1.8gQ_{or}, \quad s\delta_R = 1.0 \quad ; 1.8gQ_{or} < \bar{Q}_{or}$$

where,

$$cQ_{os} = gQ_{os}(1 - 1.8\sqrt{V_{e2}/V_{e1}-1}), \quad cQ_{or} = 1.8gQ_{or}(1 - 2.8\sqrt{V_{e2}/V_{e1}-1}) \quad (17)$$

$$\bar{Q}_{os} = \bar{\Omega} \cdot \Gamma_s / V_e, \quad \bar{Q}_{or} = \bar{\Omega} \cdot \Gamma_R / V_e, \quad gQ_{os} = \gamma \Gamma_s / (2H_e), \quad gQ_{or} = \gamma \Gamma_R / (2H_e)$$

$\bar{\Omega}$ is the 1st natural circular frequency of the interaction system based on the dynamic soil spring constant and H_e is the thickness of the equivalent two layered soil's 1st layer. $s\varepsilon_s, s\varepsilon_R, s\chi_s, s\chi_R$ are calculated, respectively, as follows:

$$s\varepsilon_s = 1.0 + (G_o/G_e) \cdot (eH/\Gamma_s), \quad s\varepsilon_R = 1.0, \quad s\chi_s = \sqrt{1 - A'/(2A)}, \quad s\chi_R = 1.0 \quad (18)$$

where, A' is area of the opening at the foundation and A is the area of the foundation ($=2b \cdot 2c$). sh_s, sh_R are calculated respectively as follows:

$$sh_s = 0.30 \cdot \bar{Q}_{os}, \quad sh_R = 0.1 \cdot \bar{Q}_{or}^3; \quad \bar{Q}_{or} < 1$$

$$sh_R = 0.15 \cdot \bar{Q}_{or} - 0.05; \quad 1 \leq Q_{or} < 5, \quad sh_R = 0.70; \quad Q_{or} \geq 5 \quad (19)$$

The damping coefficients of pile for the rocking spring, respectively, modified to the layered soil, ph'_s, ph'_R are calculated as follows:

$$ph'_s = p\delta_s \cdot ph_s + ph_1, \quad ph'_R = p\delta_R \cdot ph_R + ph_1 \quad (20)$$

where, ph_s, ph_R are respectively the damping coefficients for the swaying and rocking of pile located at the equivalent half-space elastic soil and are normally 0.03. ph_1 is damping coefficient due to the visco-damping of the pile and is normally 0. $p\delta_s, p\delta_R$ are coefficients for modification of the damping coefficient of the pile for the swaying and rocking due to the layered soil is 1, except in the case of special investigations.

RESPONSE STOREY SHEAR FORCE COEFFICIENT FOR DESIGN

The response storey shear force coefficient for the design for the i -th storey is calculated as follows:

$$rC_i = Z \cdot \lambda_1 \cdot R_t(\bar{T}_1) \cdot \phi_i \cdot C_o \quad (21)$$

where, $Z, R_t(\bar{T}_1), C_o$ are seismic hazard zoning coefficient, vibration property at the 1st natural period (\bar{T}_1), standard layer shear force coefficient as given in the Building Standards Act, respectively. ϕ_i is the coefficient at the i -th storey showing the vertical distribution of the response storey shear force coefficient ($=\phi'_i/\phi'_1$). λ_1 is the coefficient for modification of the spectrum at the 1st natural period and calculated as follows:

$$\begin{aligned} \lambda_1 &= 1 - \{1 - 2.25 / (1.75 + 10 \text{heq},1)\} \cdot t_1 & ; \text{heq},1 \geq 0.05 \\ \lambda_1 &= 1 + \{1.5 / (1.0 + 10 \text{heq},1) - 1\} \cdot t_1 & ; \text{heq},1 < 0.05 \end{aligned} \quad (22)$$

where, t_1 is unity in the usual range of the natural period (\tilde{T}_1) and is calculated by the use of \tilde{T}_1 in accordance with the equations below:

$$\begin{aligned} t_1 &= 0 & ; \tilde{T}_1 \leq 0.05, \tilde{T}_1 \geq 10.0, & t_1 = (\log \tilde{T}_1 + 1.30) / 0.3 & ; 0.05 < \tilde{T}_1 < 0.1 \\ t_1 &= 1.0 & ; 0.1 \leq \tilde{T}_1 \leq 2.5, & t_1 = (1 - \log \tilde{T}_1) / 0.6 & ; 2.5 < \tilde{T}_1 < 10.0 \end{aligned} \quad (23)$$

where, ϕ_i is the storeyed shear force coefficient for calculating at the i -th storey of the building and is calculated as follows:

$$\phi_i = \frac{\sqrt{\sum_{j=1}^k [\sum_{m=1}^N (W_m \cdot \beta_j \cdot u_{mj} \cdot \lambda_j \cdot R_t(\tilde{T}_j))]^2}}{\sum_{m=1}^N W_m} \quad (24)$$

where, $\sum_{m=1}^N$ is the total number of storeys above the foundation and W_m is the weight of the m -th storey. $\beta_j \cdot u_{mj}$ is j -th participation function of the m -th storey. λ_j is the coefficient for spectrum modification due to damping at the j -th natural period and is calculated similarly by the equations for λ_1 . $R_t(\tilde{T}_j)$ is the design spectrum coefficient at the j -th natural period (\tilde{T}_j) as given in the Building Standard Act. k is the highest mode number to be considered to be more than 2. However, when the base shear force coefficient of the 1st storey falls below the base shear force coefficient $Z \cdot R_t \cdot C_0$ given in the Building Standard Act, its lower limit is 75% of $Z \cdot R_t \cdot C_0$, and the response storey shear force coefficient for each storey is modified at the same rate.

EXAMPLE OF APPLICATION FOR PROPOSAL

Various types of apartment house founded on different grounds are analysed by following this procedure. The building has fourteen stories and are made of reinforced concrete (Figs 4 and 5). The underlying ground consists mainly of silty soil down to depth 18m from the ground surface (Fig.6). The constants of the soil are shown in Table.1. The building is supported by reinforced concrete piles, 21m in length placed in site. The diameter of the piles is from 1.6m to 1.9m. The constants for analysis are shown in Table.1. In Table.1, K_i is the spring constant of each storey of the building and \tilde{K}_s, \tilde{K}_R are dynamic soil spring constants of the swaying and the rocking, respectively. The design storey shear force coefficients in a

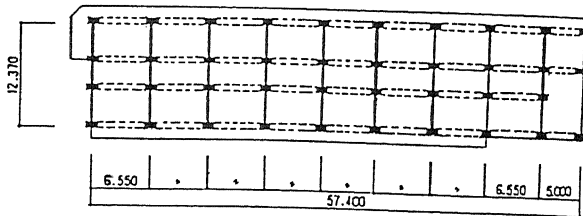


Fig.4 Plan of Building

Tab.1 Constants $K_i, \tilde{K}_s, \tilde{K}_R$

| | | longitudinal | | transverse | |
|-----------------|------------------------|------------------------|------------------------|------------|--|
| | | | | | |
| K_i (t/cm) | 14 | 5.014 | 3.557 | | |
| | 13 | 6.298 | 5.320 | | |
| | 12 | 7.329 | 6.801 | | |
| | 11 | 7.949 | 8.299 | | |
| | 10 | 8.780 | 9.707 | | |
| | 9 | 9.708 | 11.385 | | |
| | 8 | 10.156 | 13.107 | | |
| | 7 | 10.897 | 15.368 | | |
| | 6 | 12.199 | 17.801 | | |
| | 5 | 13.132 | 20.679 | | |
| | 4 | 14.105 | 24.976 | | |
| | 3 | 15.503 | 30.513 | | |
| | 2 | 18.195 | 40.495 | | |
| | 1 | 28.177 | 43.865 | | |
| | \tilde{K}_s (t/cm) | 1.889 | 3.066 | | |
| | \tilde{K}_R (t cm/r) | 8.156×10^{11} | 0.685×10^{11} | | |

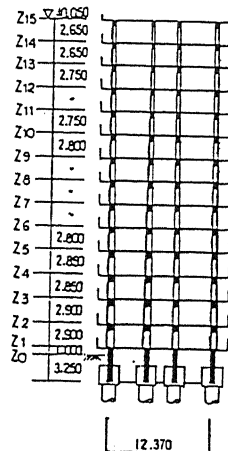


Fig.5 Section of Building

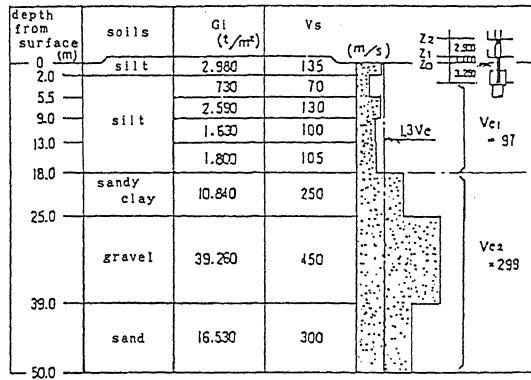


Fig.6 Constants of Soil

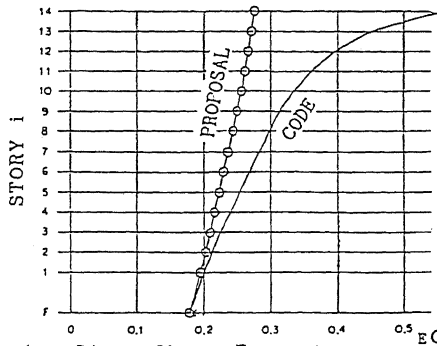


Fig.7 Design Story Shear Force Coefficients, EC_i

longitudinal direction of the building evaluated by this proposal is shown in Fig.7. It is less than that required by the code owing to the effect of soil-structure interaction.

CONCLUDING REMARKS

A proposal where seismic design values of apartment houses are estimated by taking into account the soil-structure interaction is presented. The numerical results obtained by applying the proposal to real buildings indicate the reasonable features of the soil-structure interaction effect.

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