

The estimation of the urban damage based on the systematical reliability

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ABSTRACT: Generally, It is divided into two parts, the building structure and the lifeline, to estimate the earthquake damage of the engineering structure of a city or a town. And both the calculating proceedings and the estimating results are less relevance. Here, a general weighted network method which considers the failure correlation is applied in urban engineering systems, by which the damages of the lifelines as well as the building structures are estimated systematically. And a simplified method, the gradation method, is suggested for the damage evaluation of the large city.

1 NETWORK MODELLING OF THE URBAN ENGINEERING SYSTEMS

Lifelines are always considered having the properties of the networks and treated as the edge weighted networks. Building structures are less involved in (Kitaura, M., 1985).

In fact, the post-earthquake behaviors of the lifelines could be directly shown by their various terminals which are always installed in the buildings (Wang Dongwei 1990). It generally means the water services are not damaged when the users' taps (which are in the buildings) have the water flow out and also the telephone lines are in good conditions when the subscribers could put the calls through (the telephones are in the buildings too). Moreover, lifelines must be provided with several kinds of construction or building structures to perform their design functions (Wang Dongwei 1991). Power system needs power plants and distribution stations to supply and distribute the electric currents. Heating system needs boiler rooms to afford the heat sources.

Therefore, lifelines set up a variety of organic relationships among their terminals or the building structures of a city. Then all the relevant engineering facilities and installations including lifelines as well as building structures form a succession of urban engineering systems, the transportation system, the communication system, the water-supply system and so on.

So, taken the lifeline segments as the edges and the related building structures as well as the joint parts of the lifeline as the vertices, and taken the failure probabilities of the line segments or the structures as the weights, each of the

urban engineering system could be treated as a general weighted network (including or part including edge weights as well as vertex weights) but not a edge weighted network (only including edge weights). And then it is possible to estimate the earthquake damages of the lifelines and the building structures systematically.

Here, we note the related lifeline segments as a edge set $E(p)$, and relevant building structures or joint parts of the lifeline as a vertex set $V(p)$. Then a urban engineering system S is noted as a general weighted network G , and expressed as:

$$S = G(V(p), E(p)) \quad (1)$$

in which, p is the weight or the failure probability of the lifeline segment or the building structure.

In the practical engineering systems, some of the failure events are correlative and some of the line segments (edges of the network), building structures or joint parts (vertices of the network) are so safe or unimportant comparing with other parts of the network that their failure probabilities could be neglected. The specific ways to treat such problems are shown in the illustration in division 3.

2 THE GRADATION MODELS FOR THE LARGE CITY

Any of a network model of engineering systems of a large city, even a medium-sized city, has nearly innumerable terminals. It is impossible and unnecessary to examine the connectivities from the source points to all the other terminals.

Here we notice that one of the distinguished properties of the urban engineering systems is their gradations (Singh, M. G. , 1974 and Xu Nanrong, 1988). And this property is especially remarkable after the earthquake occurred (Wang Dongwei 1990). The relief is from the railway station, airport, or wharf (grade one vertices of the transportation system) to the goods yards (grade two) of every district and then every unit (grade three) in the districts and finally every user (grade four) of the unit. The centre telecommunication bureau (grade one vertex of the communication system) administrates the line segments which link to every branch office, and a branch (grade two) manages the parts connected with every unit (grade three) in its definite area, and then the users (grade four) have their extensions joined with the switchboard of their workplace, the unit. The gradation graphs of other kinds of the urban engineering systems are shown in Fig. 1.

These gradation graphs point out that we could estimate the earthquake damages of aforementioned engineering systems of a large city grade by grade, region by region.

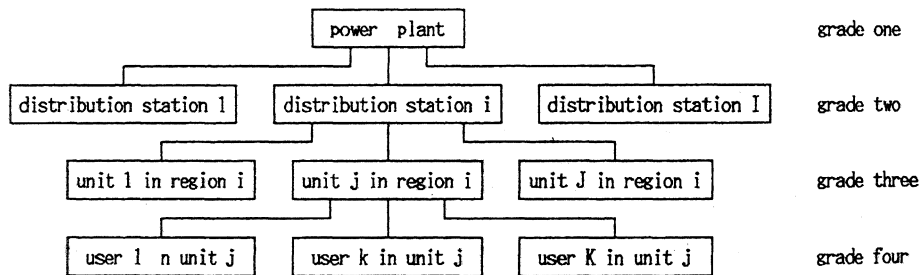
3 CALCULATING STEPS AND ILLUSTRATION

Fig. 2 shows a part of transportation system of a region of

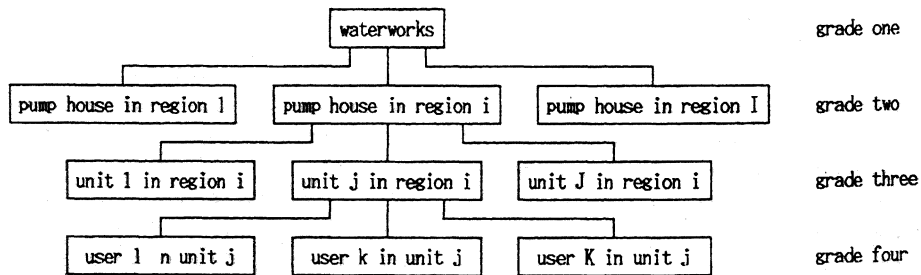
a large city, its warehouse is in the area W. From the airport A, there are several main lines which could reach the area W. And there are two bridges B1 and B2, a grade separation bridge G, a tunnel T, an active fault F, a liquefied area L and a strip of steep slope S between A and W. It is known that the failure probability of the fault F is $P(F)$, and if the fault breaks, the failure probabilities of the other sectors of the region or the structures are known as $P(A)$, $P(T)$, $P(G)$, $P(B1)$, $P(B2)$, $P(L)$, $P(S)$, $P(W)$ respectively. Still there is a main line M in the urban district, it has undergone seismic design, so its reliability $P(M)$ is 1. Then according to division 2, the network model of the transportation system from A (grade one) to W (grade two of the region) could be simply set up and shown in Fig. 3. Considered not the weights of the safety parts and the unimportant parts of the network, the general weighted network G1 is shown in Fig. 4.

It is common knowledge that if the fault is broken, the two of the highways which cross the fault F will generally cease to be effective at the same time. Also the two segments settled in the liquefied region L will subside simultaneously. These appearances are so called failure correlation.

It is difficult for a computer to redraw a network considering the failure correlation. The authors find out that it



(a) the power transmission system



(b) the water-supply system

Fig. 1 The gradation graph of the urban engineering system

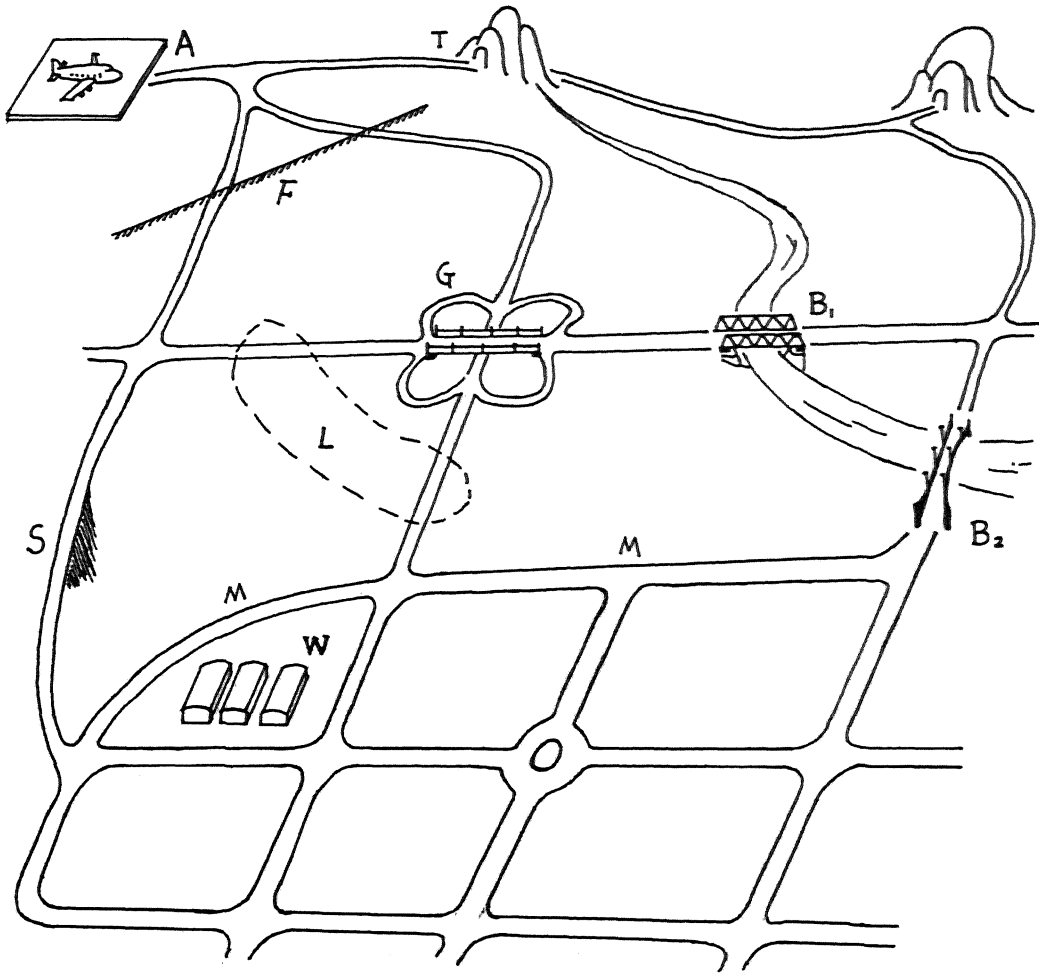


Fig. 2 the transportation system of a region of a city

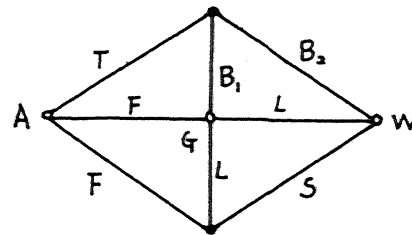
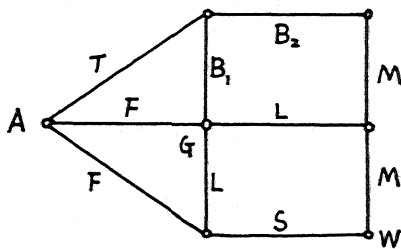


Fig. 3 the network model of Fig. 2 Fig. 4 the general weighted network G_1

is ease to treat this problem at the step searching the minimum path sets.

The calculating steps are given out as the follows:
Step one; use the common program calculating the minimum path sets of the edge weighted network to calculate the minimum path sets of the G1 which include only the edge weights. The results are;

F,S; F,L,L; F,L,S;
F,L; F,B1,B2; F,L,B1,B2;
T,B2; T,B1,L; T,B1,L,S;

Step two; consider the weights of the vertexes of the general weighted network. Bring the weighted vertexes into related paths, the minimum path sets of G1 including the vertex weights could be lined up as;

A,F,S,W; A,F,L,C,L,W; A,F,C,L,S,W;
A,F,C,L,W; A,F,C,B1,B2,W;
A,F,L,C,B1,B2,W; A,T,B2,W;
A,T,B1,C,L,W; A,T,B1,C,L,S,W;

Step three; consider the correlation of the failure events. According to the absorbing rule of the set theory;

$$A \cup AB = A \quad (2)$$

and the definition of the minimum path, the minimum path sets of the general weighted network G1 could be obtained as follows;

A,F,S,W; A,F,C,L,W; A,F,C,B1,B2,W;
A,T,B2,W; A,T,B1,C,L,W;

Step four; Search the uncross sum of the minimum path sets. The uncross sum of the minimum path sets of G1 is

$$AFSW + AFSLW + AFSLB1B2W + AFSCB2W \\ + AFSLB1TB2W + AFTB2W + AFTB2B1CLW$$

Step five; Calculate the connective probability of the network. Note the reliabilities of the line segments or building structures as;

$$R(i) = 1 - P(i) \quad (i = A, T, G, \dots) \quad (3)$$

The connective probability R for airport A to warehouse W is;

$$R = R(A)R(W) (R(F)R(S) \\ + R(F)P(S)R(C)R(L) \\ + R(F)P(S)R(C)P(L)R(B1)R(B2) \\ + R(F)P(S)P(C)R(T)R(B2) \\ + R(F)P(S)R(C)P(L)P(B1)R(T)R(B2) \\ + P(F)R(T)R(B2) \\ + P(F)R(T)P(B2)R(B1)R(C)R(L))$$

4 CONCLUSIONS

4.1 The general weighted network (including or part including edge weights as well as vertex weights) could be used to estimate the earthquake damage of the lifeline as well as the building structure systematically.

4.2 The failure correlation of the events could be considered at the step calculating the minimum path sets of the network.

4.3 The gradation method could be applied to deal with the problems of estimating the damage of the large city.

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