

## ESC101 : Fundamental of Computing

Lab 7 for 29th September 2008

1. (Marks = 5)

A one dimensional open interval  $(\ell, r)$  for real numbers  $\ell, r$  with  $\ell \leq r$  is the set of all those points  $p$  on the real line such that  $\ell < p < r$ . Here we call  $\ell$  as the *left* endpoint and  $r$  as the *right* endpoint of the interval  $(\ell, r)$ . An interval  $(\ell, r)$  is called empty if  $\ell = r$ . It can be seen that an empty interval does not contain any point of the real line.

Design and implement a class `Interval` with the following attributes and methods.

**Attributes :**

`double left;`

`double right;`

**Constructors :**

- `Interval(double  $\ell$ , double  $r$ )`

It should build an interval with left endpoint =  $\min(\ell, r)$  and right endpoint =  $\max(\ell, r)$ .

- `Interval(double  $\ell$ )`

It should build an interval with left endpoint  $\ell$  and right endpoint  $\ell + 1$ .

- `Interval(Interval  $I$ )`

It should build a copy of the interval  $I$ , that is, left endpoint of the new interval should be the same as the left endpoint of  $I$ , and the right endpoint of the new interval should be the same as the right endpoint of  $I$ .

**Methods :**

- (a) `public double Length()`

To determine the length of the current interval. The length of an interval is defined in the usual manner. For example, length of the interval  $[2.5, 3.8]$  is 1.3 and length of the interval  $[-4, 2]$  is 6.

- (b) `public boolean Iempty()`

Returns true if the current interval is empty.

- (c) `public boolean Contains( double  $r$ )`

Returns *true* if the current interval contains the point  $r$  of real line, and false otherwise. For example,  $[2, 5.4]$  contains the point 3.1 but does not contain the point 6.

- (d) `public Interval intersection(Interval  $I$ )`

To return the reference to an interval which is the intersection of the current interval and the interval  $I$ . The intersection is defined in the usual manner. For example, intersection of interval  $(1, 4.3)$  with the interval  $(2, 6)$  is equal to the interval  $(2, 4.3)$ , whereas Intersection of interval  $(1, 4.3)$  with interval  $(-4, 0)$  is an *empty* interval. We shall follow the convention that if  $(\ell_1, r_1)$  does not intersects  $(\ell_2, r_2)$ , and  $r_1 \leq \ell_2$ , then the intersection interval is  $(r_1, r_1)$ .

- (e) `public double MidPoint()`

Returns the mid point of the current interval. For example, mid point of the interval  $(1, 4.4)$  is 2.7.

(f) `public double Distance(Interval I)`

Returns the distance between the current interval and the interval  $I$ . The distance between two intervals is equal to the absolute difference between their mid-points. This method **must** invoke the `MidPoint` method described above. Note that the distance is always non-negative.

2. (marks = 5)

Use `Interval` class to develop a program which will take as input the endpoints of two intervals  $I_1$  and  $I_2$  from command line. (Total four command line arguments).

For examples, if the arguments are `3 1 2 4`, then  $I_1 = (1,3)$  and  $I_2 = (2,4)$ . The program should compute the following information about these intervals and print suitable messages.

- The length of Intervals  $I_1$  and  $I_2$  respectively.
- The interval which is bigger, that is, the interval whose length is greater than the other.
- Whether any of the intervals  $I_1$  and  $I_2$  is empty.
- Whether any of the intervals contains the origin.
- Whether the intervals  $I_1$  and  $I_2$  intersect, if yes, print the the interval which is intersection of these two intervals.
- Print the distance between the intervals  $I_1$  and  $I_2$ .