

Loops are used when instructions are repeated

■ Print all numbers between 1 and 100 that are divisible by 7 v Algorithm

1. Initialize $x=1$
2. Test if x is divisible by 7
3. If yes, display $x$
4. Increment $x$
5. If $x<=100$, go back to step 2

■ Requires loops - instructions that are repeated a number of times

- Each time (called an iteration), some variable may change
- For a loop to stop, either of these must be specified


## while ( condition)

\{
statements
\}

- condition evaluates to a boolean
- The statements in the loop are executed as long as condition is true
- Any expression acts as condition
- Value of condition, if initially true, must change at some appropriate later point to false
v Number of times the loop runs
- Otherwise, infinite loop is created
$\checkmark$ Stopping condition



## Sum of first N natural numbers using a while loop

printf("'InEnter number $\mathrm{N}^{\prime}$ );
scanf("\%d", \&N); /
$\mathrm{x}=1$; /linitializing
sum $=0$; /linitializing
if $(N<1)$ Ilerror check: to ensure $N$ is a natural number
printf(" InN is not a natural number: enter only a natural number");
else lif N is a Natural number
\{
while ( $\mathrm{x}<=\mathrm{N}$ )
\{
sum $=$ sum $+x$; llif number is less than or equal to $N$, add it to sum x++; // go to the next number \}
printf(" ${ }^{\prime \prime}$ nSum $=\%{ }^{\prime}$ ', sum);
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## Lab 1: Q2 algorithm using loop

- Take as input 4 numbers. Print arithmetic mean \& harmonic mean. Print the maximum of the two means.
- Algorithm:

1. Initialize $\mathrm{j}=1$, arithmetic_mean $=0$, inverse_harmonic_mean $=0$
2. Input a number, n
3. Add number, n , to arithmetic_mean
4. If n is positive and harmonic mean is valid, add $1 / \mathrm{n}$ to inverse_harmonic_mean
5. Otherwise, harmonic mean is not valid
6. Increment $j$
7. If $\mathrm{j}<=4$, go back to Step 2
8. arithmetic_mean $=$ arithmetic_mean $/ 4$
9. if valid, divide inverse_harmonic_mean by 4
10. if valid, harmonic mean $=1 /$ inverse_harmonic_mean

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## Lab 1: Q2 sample solution using while loop

\#include<stdio.h>
int main()
\{
float n , arithmetic_mean=0, inverse_harmonic_mean=0, harmonic_mean $=0$;
int flag $=1, j=1$;
while ( $j<=4$ )
\{
printf("Enter the \%d number",j); scanf("\%f",\&n);
arithmetic_mean $=$ arithmetic_mean +n ;

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Lab 1: Q3 sample solution using a loop

- Take a 5 digit integer as input from the user. Count the total number of zeroes in it and print the result.
- Algorithm:

1. Input the integer
2. Initialize zero_count to 0
3. Find the remainder of integer by dividing using 10
4. If remainder is zero, then increment zero_count by 1
5. Divide the integer by 10
6. Use the quotient as the new integer
7. If integer !=0, go to Step 3
8. Display zero_count

Lab 1: Q2 sample solution using while loop (cont.)
if ( $(\mathrm{n}>0) \& \&(\mathrm{flag}==1)$ )
inverse_harmonic_mean = inverse_harmonic_mean+1/n;
else
flag $=0 ; / l$ invalid harmonic mean
j++;
\}
arithmetic_mean = arithmetic_mean/4;
if (flag==1) //valid harmonic mean
\{
inverse_harmonic_mean = inverse_harmonic_mean/4;
harmonic_mean $=1$ linverse_harmonic_mean; \}
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## Lab 1: Q3 sample solution using a loop

int n , count=0;
printf("Enter the FIVE DIGIT integerln");
scanf("\%d",\&n);
while ( $\mathrm{n}!=0$ )
\{
I/checking if the last digit is zero
if(n\%10 == 0)
count++;
$\mathrm{n}=\mathrm{n} / 10$; /linteger with one less digit
\}
I/printing the results
printf("Number of zeros: \%dln",count);
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## Algorithm to display digits in reverse order

```
- Input an integer. Display the digits of the integer in reverse order.
- Algorithm
1. Input an integer
2. If negative integer, take the absolute value and display '-'
3. Find the remainder of division by 10
4. Display the remainder
5. Divide the integer by 10 and use the quotient as new integer
6. If integer is not equal to 0 , go back to Step 3

\section*{Algorithm to find geometric mean}
- Input n positive numbers and find their geometric mean
- geometric mean \(=\left(x_{1} x_{2} x_{3} \ldots x_{n}\right)^{1 / n}\)
- Algorithm:
1. Input \(n\)
2. Initialize j to 1 and geometric mean to 1 .
3. Input number
4. Update geometric mean by multiplying it with the (number) \({ }^{1 / n}\)
5. Increment \(j\)
6. If \(\mathrm{j}<=\mathrm{n}\), go back to Step 3
7. Display geometric mean

\section*{while loop to display digits in reverse order}

\section*{if \((\mathrm{n}<0)\)}
\{
\(n=-n\); /l get absolute value
printf("-"); I/display - for negative integer
\}
while ( \(n!=0\) )
\{
remainder = \(\mathrm{n} \% 10\);
printf("\%d", remainder); //display the last digit
\(\mathrm{n}=\mathrm{n} / 10\); I/new integer has one less digit, without the last digit
\}

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\begin{tabular}{|c|c|}
\hline \multicolumn{2}{|l|}{Algorithm to find geometric mean} \\
\hline \begin{tabular}{l}
- Input \(n\) positive numbers and find their geometric mean \\
- geometric mean \(=\left(x_{1} x_{2} x_{3} \ldots x_{n}\right)^{1 / n}\) \\
- Algorithm: \\
1. Input \(n\) \\
2. Initialize j to 1 and geometric mean to 1 . \\
3. Input number \\
4. Update geometric mean by multiplying it with the (number) \({ }^{1 / n}\) \\
5. Increment \(j\) \\
6. If \(\mathrm{j}<=\mathrm{n}\), go back to Step 3 \\
7. Display geometric mean
\end{tabular} & \\
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\hline
\end{tabular}

\section*{Computation of 'power'}
- Standard functions to compute power are present
- pow( \(x, y\) ) function computes \(x^{y}\)
- Requires \#include <math.h>
- compilation using gec -Im
v e.g. gcc -Im geomean.c


\section*{Example using for-statement}

■ Print all numbers between 1 and 100 that are divisible by 7
for ( \(x=1 ; x<=100 ; x++\) )
\{
if \(((x \% 7)=0)\) printf ("\%d ", x);
\(\}\)

\section*{Sample program}
- Find the sum of first N natural numbers using a for loop. printf("Enter the natural number N : ");
scanf("\%d", \&N);
sum \(=0\);
for ( \(i=1, i<=N, i++\) )
\{
sum \(=\operatorname{sum}+i ;\)
\}
printf("InSum of \%d Natural numbers = \%d",N, sum);
```

Equivalence of while and for statements
■ while and for statements are equivalent
for ( initialization ; condition; update)
{
statements;
}
- translates to
initialization;
while ( condition)
{
statements;
update;
}
\square It is a matter of convenience and ease on the choice of loop
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## for loop to find geometric mean

```
    geometric_mean =1;
```

    geometric_mean =1;
    for (j=1; j < n; j++)
for (j=1; j < n; j++)
{
{
printf("Enter number %d:",j);
printf("Enter number %d:",j);
scanf("%f", \&number);
scanf("%f", \&number);
if (number > 0) /lupdates mean only for positive numbers
if (number > 0) /lupdates mean only for positive numbers
geometric _mean = geometric_mean * pow(number, 1/n);
geometric _mean = geometric_mean * pow(number, 1/n);
else
else
j--; /lincrements only for positive numbers
j--; /lincrements only for positive numbers
}
}
printf("Geometric mean = %f", geometric_mean);
printf("Geometric mean = %f", geometric_mean);
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## continue statement

- continue can be used in loops
- continue allows the next iteration to be executed in the loop
- The statements after continue are not executed in the current iteration of the loop
- continue is generally used when certain statements (e.g. statements2 below) are not to be executed under certain circumstances (e.g. condition2 below)
while (condition1)
\{
statements1;
if (condition2) continue;
statements2;
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## Sample program using break

- Compute the sum of the geometric series for $n$ terms until the sum does not change beyond a specified value

$$
v a+a^{r}+a r^{2}+a r^{3}+\ldots
$$

v $r$ is between 0 and 1
sum $=0$;
for ( $\mathrm{i}=1 ; \mathrm{i}<=\mathrm{n} ; \mathrm{i}++$ )
\{
term = a * pow(r, i-1);
if (term <= Spec_value) break;
sum = sum + term;
\}
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Using continue for updating geometric mean
$j=1$;
geometric_mean $=1$;
while (j<=n) // loop to compute geometric mean of $n$ numbers
\{
printf("Enter number \%d:",j);
scanf("\%f", \&number);
if (number < $=0$ )
continue; //For non-positive numbers, don't update mean
geometric _mean = geometric_mean *pow(number, $1 / n$ );
j++; Ilensures increment only if number is positive
\}
printf("Geometric mean = \%f", geometric_mean);

```
    Using continue for updating geometric mean
geometric_mean =1;
for (j = 1; j <=n; j++) // loop to compute geometric mean
{
    printf("Enter number %d:",j);
    scanf("%f", &number);
    if (number <= 0)
    {
            j--; /lincrement count only for positive numbers
            continue; I/For non-positive numbers, don't update mean
        }
        geometric _mean = geometric_mean * pow(number, 1/n);
    }
    printf("Geometric mean = %f", geometric_mean);
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\section*{More on for loop}
- for (; ; ) - creates an infinite loop
- However, you can exit the loop using break
- Display numbers from 34 to 55 using for (; ; )
\(\mathrm{a}=34\);
for (; ;)
\{
printf("\%d ", a);
a++;
if \((a>55)\)
break;
\}

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\begin{tabular}{|c|c|}
\hline \begin{tabular}{l}
Comma operator \\
- Lowest precedence of all operators \\
- comma operator links a list of related expressions together \\
- left to right evaluation \\
- Value of the combined expression = value of the right-most expression
\[
\begin{aligned}
& \text { vum }=(x=10, y=5, x+y) ; \\
& \text { sum }=15
\end{aligned}
\] \\
- Can be used for exchanging values
\[
\text { v } \mathrm{t}=\mathrm{x}, \mathrm{x}=\mathrm{y}, \mathrm{y}=\mathrm{t} \text {; }
\] \\
■ Used in loops for multiple expressions \\
v for ( \(\mathrm{n}=1, \mathrm{~m}=1 ; \mathrm{n}<=\mathrm{m} ; \mathrm{n}++, \mathrm{m}++\) ) \\
v while ( \(\mathrm{n}!=0, \mathrm{~m}!=0\) ) - equivalent to while \((\mathrm{m}!=0)\)
\end{tabular} & \\
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\hline
\end{tabular}

\(\square\)
■ Print all numbers between 1 and 100 that are divisible by 7
\(\mathrm{x}=1\);
do
\{
if \(((x \% 7)==0)\)
printf ("\%d", x);
X++;
\}
while ( \(x<=100\) )

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- 5 lines to be displayed. One less star in each line, starting with 5 stars. Star replaced by space in the beginning.
1. Initialize linecount \(=1\).
2. Initialize charactercount=1.
3. If charactercount<linecount, print space.
4. Otherwise print star.
5. Increment charactercount.
6. If charactercount \(<=5\), go back to Step 3.
7. Otherwise increment linecount and display in a new line. Go back to Step 2.

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```

                                    Series sum using nested loops
                                    Series sum using nested loops
    sum = 0;
    sum = 0;
    for (i=1; ; i++)
    for (i=1; ; i++)
    {
    {
        factorial = 1;
        factorial = 1;
        power=1;
        power=1;
        for (j=1; j<=l; j++)
        for (j=1; j<=l; j++)
    {
    {
        factorial = factorial * (-j);
        factorial = factorial * (-j);
            power = power*x;
            power = power*x;
        }
        }
        term = -1* power/factorial;
        term = -1* power/factorial;
        if (((term<0)&&(term >= - specified_value)) ||((term>0)&&(term <=
        if (((term<0)&&(term >= - specified_value)) ||((term>0)&&(term <=
        specified_value))
        specified_value))
            break;
            break;
        sum = sum + term;
        sum = sum + term;
    }
    }
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## Algorithm for nested loop example



