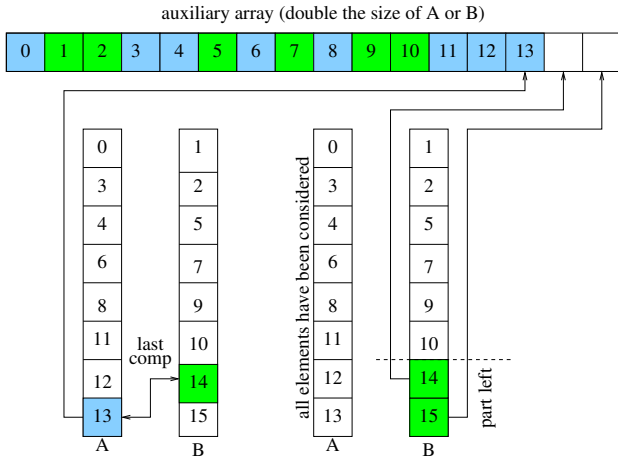


Merge Sort

Merging



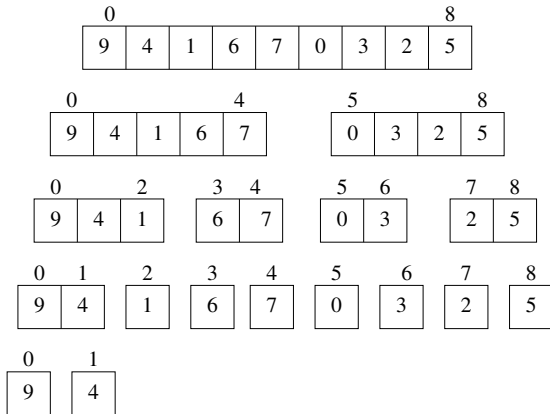
Merge Sort

Merging

- Merge sort required merging of a pair of sorted arrays.
- Merging is simple
 - Take two elements one from each array A and B.
 - Compare them and place smaller of two (say from A) in sorted list.
 - Take next element from A and compare with element in hand (from B).
 - Repeat until one of the array is exhausted.
 - Now place all remaining elements of non-empty array one by one.

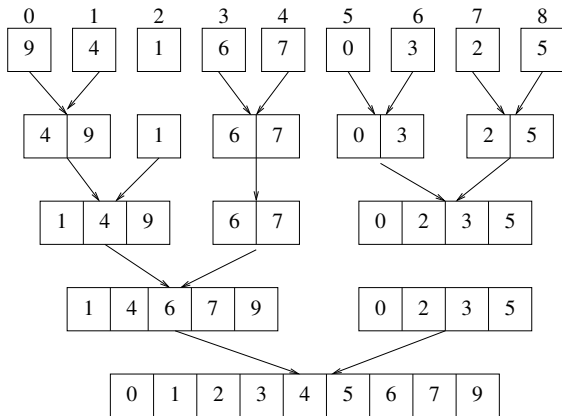
Merge Sort

Merge Sort (Splitting)



Merge Sort

Merge Sort (Merging)



Merge Sort

Merging Sort (Code for Merging)

```
void merge(int a[], int l, int m, int h)
{
    int i, j, k;
    int b[l + h + 1]; // Auxiliary array

    for (i = l; i <= h; i++)
        b[i] = a[i];

    /* Rest of the program appear in next slide */
}
```

Merge Sort

Merge Sort (Code for Merging)

```
/* Copy back the greater of the two elements of      *  
 * two sorted halves into next position of array a */  
  
for (i = k = l, j = m + 1; i <= m && j <= h; k++) {  
    if (b[i] <= b[j]) {  
        a[k] = b[i]; // a[k] overwritten by b[i]  
        i++;  
    }  
    else {  
        a[k] = b[j]; // a[k] overwritten by b[j]  
        j++;  
    }  
}  
  
// Copy back rest of the elements (if any)  
  
for (; i <= m; i++, k++)  
    a[k] = b[i];
```

Merge Sort

Explanation for Merging

- Why copy back is required for left half of array only?
 - If every element from left half of array is smaller than the smallest element of right half (no exchange takes place).
 - $i > m$ on exit of first `for` imply the above.
- But if some elements from right half are smaller than certain elements of left half then (exchange will take place)
 - Implying $i \leq m$ on exit of first `for` loop.
 - In other words, some larger elements from left half are left out.
 - Whereas all elements of right half have been accounted for.
 - The left out elements of left half should go to positions from `k` onward.

Merge Sort

Merge Sort (Recursion)

```
void mergeSort(int a[], int l, int h) {  
    int m;  
  
    if (l < h) {  
        m = (l+h)/2;           // Find the middle of the array  
        mergeSort(a, l, m);    // Sort the first half  
        mergeSort(a, m+1, h);  // Sort the next half  
        merge(a, l, m, h);     // Merge the sorted halves  
    }  
    return;  
}
```


Merge Sort

Main Function

```
#include <stdio.h>
#define N 10
int main() {
    int a[N];
    int n = sizeof(a)/sizeof(a[0]);

    generateNumbers(a, n);
    printf(" Unsorted_input_\n" );
    printArray(a, n);

    mergeSort(a, 0, n-1);
    printf(" Sorted_output_\n" );
    printArray(a, n);
}
```

Quick Sort

General Idea

- It also based on principle of divide and conquer.
- The unsorted array is first partitioned using an element of the array.
- For simplicity use the first element for partitioning.
- Array is partitioned such that
 - All elements larger than partitioning element appear to its right.
 - All elements smaller than the partitioning element appear to its left.
- So, partitioning element gets into correct place.

Quick Sort

Splitting

