

# Using Functions

## Prime Testing

```
int isPrime(int n) {
    int divisor;

    if (n == 2)
        return 1; // 2 is not a prime

    if (n == 1 || n % 2 == 0)
        return 0; // 1 is non-prime, so are even numbers

    for (divisor = 3; divisor * divisor <= n; divisor += 2)
        if (n % divisor == 0) // non-prime
            return 0;

    return 1;
}
```

# Using Functions

## Prime Testing

```
int main() {  
    int n;  
  
    printf(" Enter_a_number: ");  
    scanf("%d", &n);  
  
    if (isPrime(n))  
        printf("%d_is_prime\n", n);  
    else  
        printf("%d_is_not_prime\n", n)  
}
```

# Using Functions

## GCD

### Property

If  $m, n, q, r$  are integers and  $m = nq + r$  then  $(m, n) = (n, r)$

Proof.

- GCD of  $m = nq + r$ ,  $n$  should also be divisor of  $r$ .
- So it must also be a greatest common divisor of  $n$ , and  $r$ .
- I.e.,  $\text{GCD}(m, n) = \text{GCD}(n, r)$ .



# Using Functions

## GCD (contd)

### Theorem

Let  $m$  and  $n$  be +ve integers. Then there is an algorithm that finds  $(m, n)$ .

### Proof.

$$m = nq_1 + r_1, \quad (m, n) = (n, r_1)$$

$$n = r_1q_2 + r_2, \quad (n, r_1) = (r_1, r_2)$$

$$r_1 = r_2q_3 + r_3, \quad (r_1, r_2) = (r_2, r_3)$$

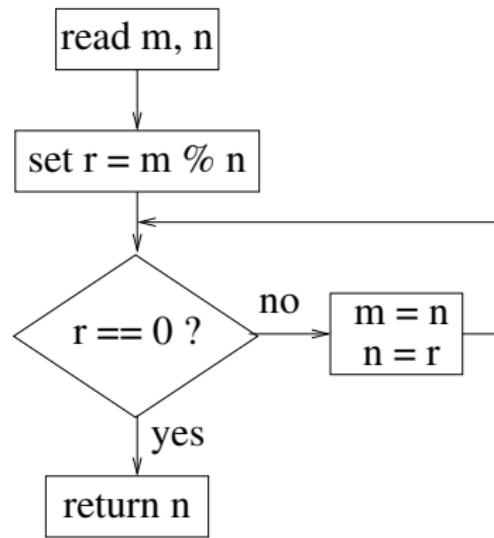
$$r_2 = r_3q_4 + r_4, \quad (r_2, r_3) = (r_3, r_4)$$

...

Therefore,  $\text{GCD}(m, n) = \text{GCD}(n, r_1) = \dots = \text{GCD}(r_{n-1}, r_n) = r_n$ . □

# Using Functions

## GCD (contd)



# Using Functions

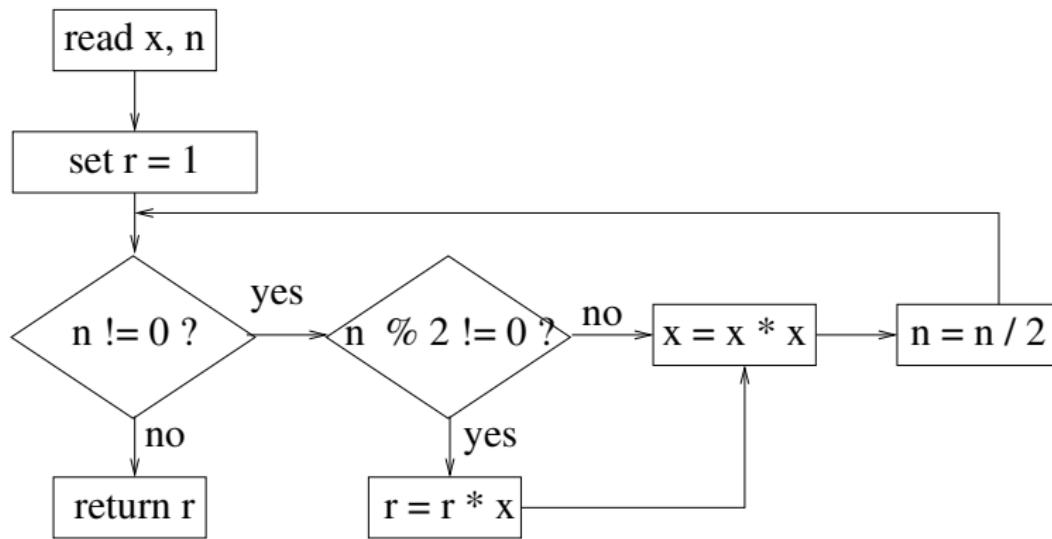
## GCD (contd)

```
#include <stdio.h>
int gcd( int m, int n) {
    int r;
    if (n > m) {
        r = m; m = n; n = r;
    }
    r = m % n;
    while (r != 0) {
        m = n; n = r; r = n % m;
    }
    return n;
}

int main() {
    int m, n;
    printf("Enter m and n: ");
    scanf("%d %d", &m, &n);
    printf("gcd(%d, %d) = %d\n", n, m, gcd(n,m));
}
```

# Using Functions

## More Example (x power n)



# Using Functions

## More Example (x power n)

```
#include <stdio.h>
int XpowerN(int x, int n) {
    int r = 1;

    while (n != 0) {
        if (n % 2 != 0)
            r = r * x;
        x = x * x;
        n = n / 2;
    }
    return r;
}
/** Main function appears in next slide ***/
```

# Using Functions

## More Example (x power n)

```
int main() {  
    int x, n;  
  
    printf(" Enter x and n : ");  
    scanf("%d %d", &x, &n);  
  
    printf("%d raised power %d = %d\n", x, n, XpowerN(x, n));  
}
```

# Variable Scope

## Global Variable

- Functions can communicate through **global** variables.
- Global variables are declared outside functions. and have **file scope**.
- Visible to all functions appearing after declaration.
- So, scopes can be restricted by placing declarations at different points.
- Have static storage allocation.

# Variable Scope

## Local Variable

- A variable declared inside a function or a block has **block scope**.
- Scope terminates within the block where it is declared.
- But declaration of the variable with same name in an inner block over-rides outer block scope.
- Have automatic storage duration
  - storage automatically allocated when block is executed.
  - automatically deallocated when block is exited.

# Variable Scope

## Static Local Variables

- By default, local variables have automatic storage duration
- Putting word `static` causes static instead of automatic allocation.
- Static storage retains the allocation throughout the program execution.
- Like automatic variables, static variables have block scope, therefore, not visible outside the block.

## Parameters

- Have same properties as local variable:
  - Automatic storage duration
  - Block scope